

# The Application of Critical Perforation Analysis (CPA) to Military Personal Armour Research and Evaluation

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# Background



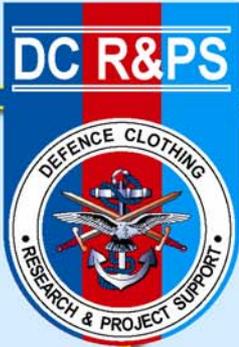
CPA was developed by:

- RMCS – Royal Military College of Science
- MPS – Metropolitan Police Service
- DC R&PS

This presentation will:

- Outline the method
- Describe the current status of development
  - Focusing on shoot pack testing carried out at DC R&PS

# Background



When testing with bullets (not fragments) the usual method of assessment is a pass/fail criteria

- No way of quantitatively assessing how close to failing the armour is (i.e. has it been over-engineered or will the next shot perforate?)
- Many test standards require only 6 shots on an armour assessment (although several armours will be tested for certification)

When testing with fragments the two values of interest are the  $V_{50}$  and  $V_0$

- $V_{50}$  - velocity at which the estimated probability of perforation is 0.5 for a given projectile and target. Three perforations and three non-perforations of the pack are used to calculate the arithmetic mean ( $V_{50}$ ).
- $V_0$  - highest velocity at which the estimated probability of perforation is 0 for a given projectile and target.

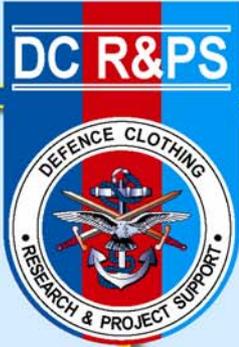
# What is CPA



CPA is a ballistic test method tool giving a quantitative value of performance

- Determines  $V_{50}$  using all projectiles
- Determines Standard Deviation (SD)
- Using the  $V_{50}$  and SD to estimate the  $V_{0.1}$  (estimated as an approximation to  $V_0$ )
- Determines  $F_{\text{perf}}$  – frequency of perforation (between 40 to 60% is acceptable)

# Theory of CPA

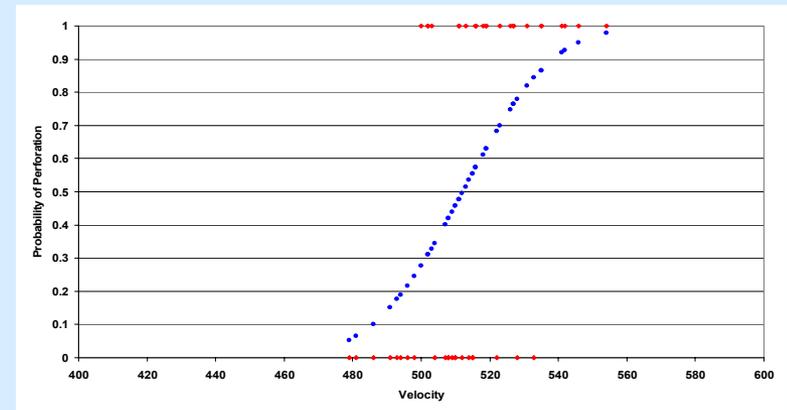


Projectile either will or will not perforate the target  
Probability of perforation can be plotted as:

- 0 = non-perforation or
- 1 = perforation
- Can be plotted against velocity

If 'least squares' method is applied:

- produce a Cumulative Normal Distribution Curve (CND)

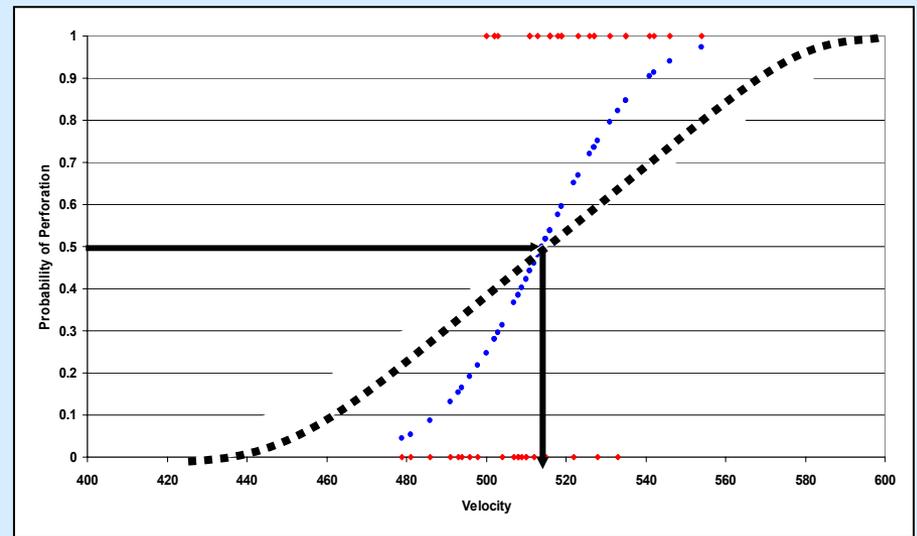


# Theory of CPA

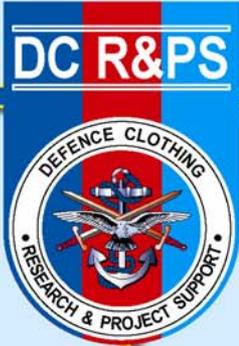


Using the CND curve we can assume that:

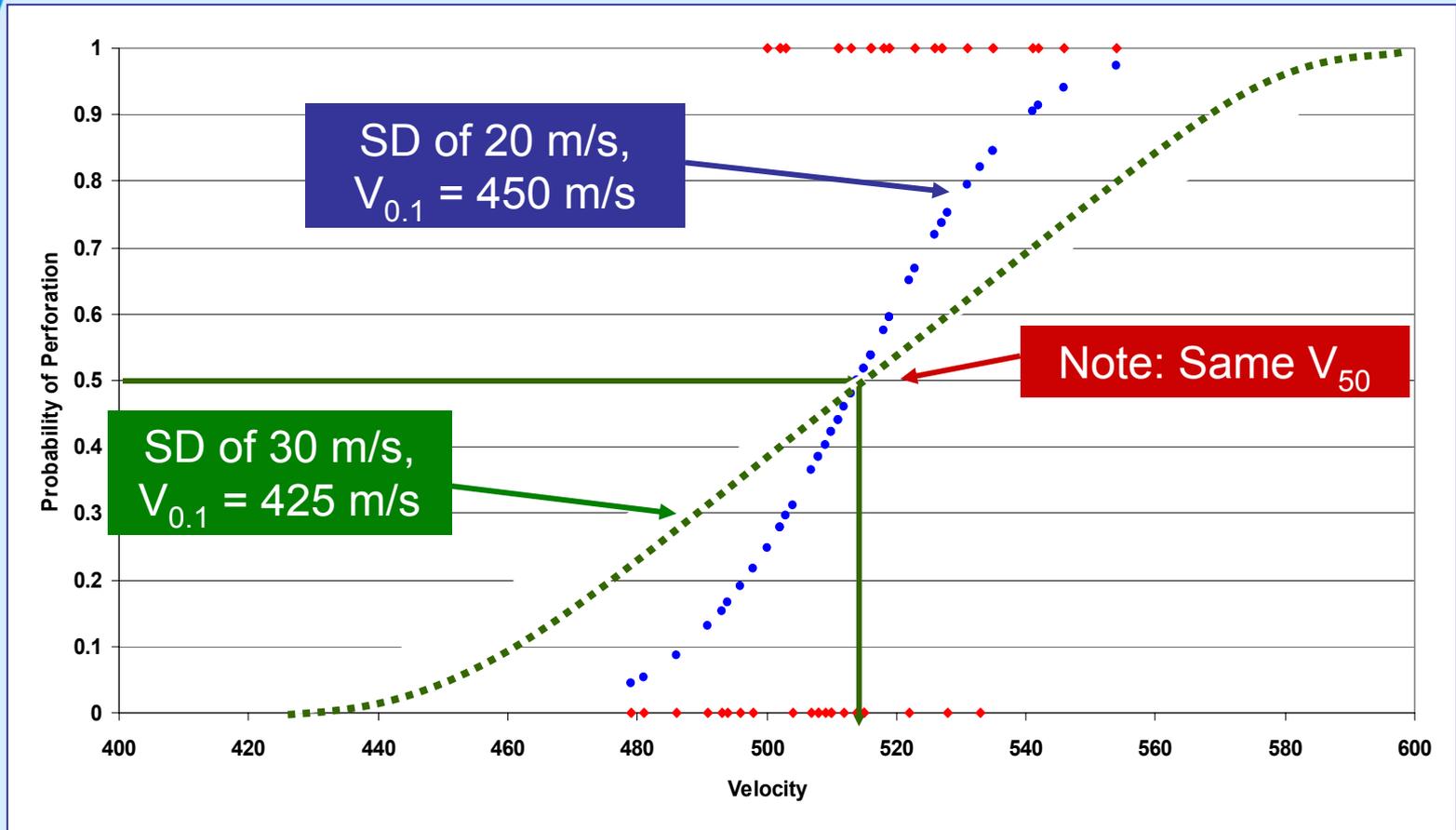
- Probability of 0.5 equates to the  $V_{50}$
- There is an associated standard deviation (SD)
- The  $V_0$  can be estimated, more accurately the  $V_{0.1}$  can be estimated as an approximation to  $V_0$ 
  - It is assumed to be 3x SD below the  $V_{50}$



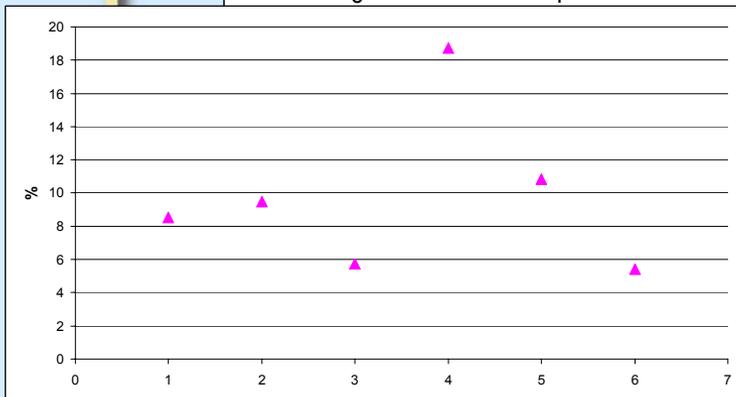
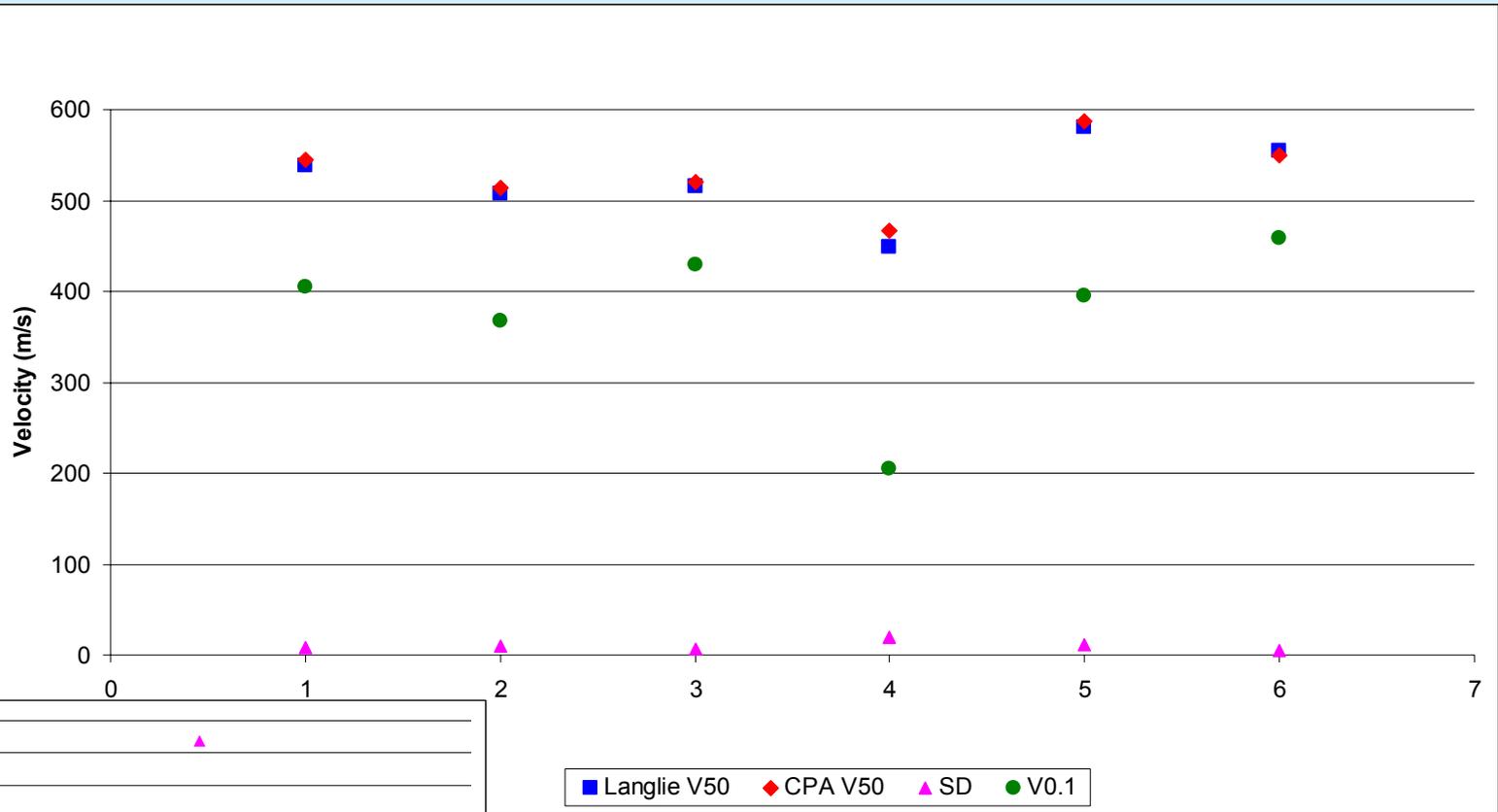
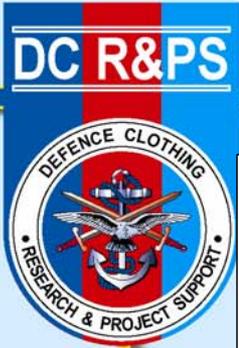
# Theory of CPA



$V_{50}$  in isolation does not give all the information



# Comparison of Results

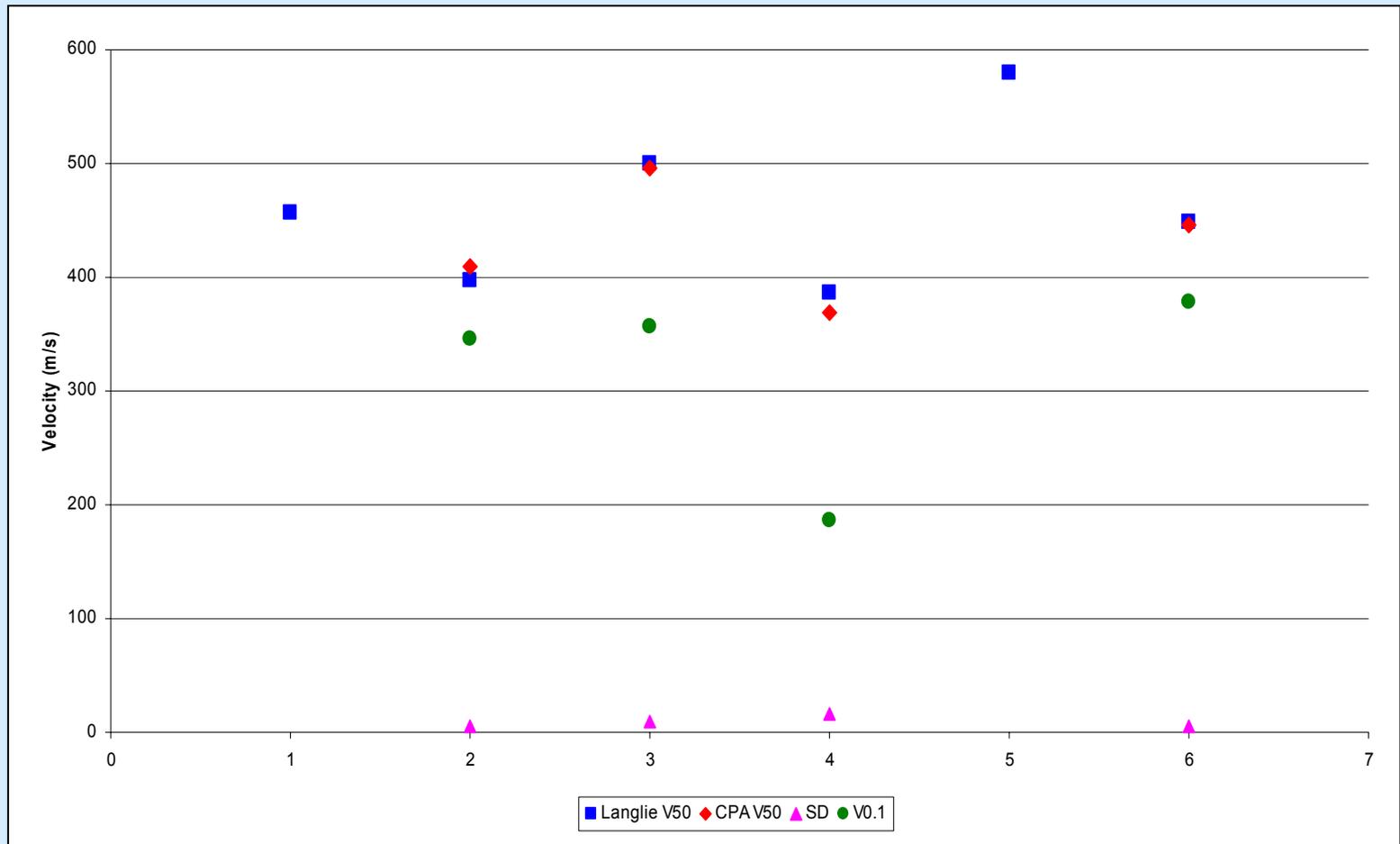




# Comparison of Results

Textile	No of Shots	$V_{50}$ (m/s)		CPA		
		STANAG 2920	CPA	SD (%)	Est $V_{0.1}$ (m/s)	$F_{\text{perf}}$ (%)
1	50	538	544	8.52	405	46
2	49	508	514	9.50	368	45
3	61	515	520	5.75	430	49
4	52	448	467	18.72	205	37
5	42	580	586	10.84	396	43
6	41	554	549	5.44	459	59

# Comparison of Results

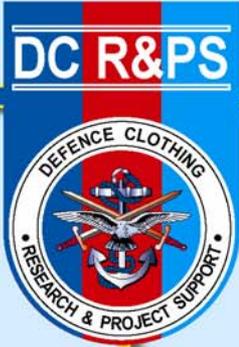




# Comparison of Results

Textile	No of Shots	V <sub>50</sub> (m/s)		CPA		
		STANAG 2920	CPA	SD (%)	Est V <sub>0.1</sub> (m/s)	F <sub>per</sub> (%)
1	44	457	No Solution			
2	35	397	409	5.14	346	51
3	37	500	496	9.39	356	54
4	44	387	369	16.50	186	64
5	41	No Solution				
6	39	448	446	5.08	378	54

# Further Work



- Validation of estimated  $V_{0.1}$  predictions
- Improve user-friendliness
- Define testing procedures
- Validation for hard armour targets
  - Taking into account possible bi-modal distribution
- Confidence levels

# Contact Details



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