Finding Organized Structures in 3-D LADAR Data

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Abstract—In this paper, we address the problem of finding concertina wire in three-dimensional (3-D) data. Wire entanglements constitute a major obstacle to the mobility of Unmanned Ground Vehicle because of their widespread use and the difficulty to detect them. We pose the problem in terms of finding thin structures organized in complex patterns. Such problems did not receive as much attention as linear and planar structures segmentation. We are interested especially in the problems posed by repetitive and symmetric structures acquired with a laser range finder. The method relies on 3-D data projections along specific directions and 2-D histograms comparison. The sensitivity of the classification algorithm to the parameter settings is evaluated and a segmentation method proposed.

I. INTRODUCTION

Wire entanglements are commonly used to reinforce natural obstacles and to impede forces in military operations both in urban and natural environment. Concertina wires are such an obstacle. Typically, it is made of a thin cable (3.5 mm diameter) forming a one meter diameter coil. It can be fitted with blades (10 mm × 13 mm) at regular interval along the cable (every 2.6 cm). Coils can be arranged in various ways: supported by poles, stacked on top of each other to create a fence, or just laid across a street. As such, concertina wires constitute very difficult but omnipresent obstacles to detect by Unmanned Ground Vehicles (UGV).

In this paper, we investigate the detection of concertina wires in three-dimensional (3-D) laser data. Effective methods have been developed for classification and segmentation of natural scenes from such data. Applications are scene interpretation, obstacle detection or terrain-based localization [1], [2], [3], [4]. A substantial body of work exists also on how to extract planar and linear objects from scattered 3-D point clouds, see for example [5], [6]. Methods were even proposed to detect solid surfaces hidden inside foliage [7]. But small-scale structures, such as wires and thin poles, are still challenging for segmentation algorithms.

The problem of concertina wire detection is an instance of a larger class of problems involving the segmentation of and analysis for shape retrieval in 3-D points clouds. This problem is particularly acute with porous scenes (vegetation) that include in addition thin structural elements (branches, poles). In this paper, we look at the detection and segmentation of organized thin structures. In our terminology, thin structures differ from linear structures in

II. RELATED WORK

A. Sensing

The two closest related fields in thin structure detection is power line detection for aircraft obstacle avoidance at
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low altitude and stand-off trip wire detection for land- mine clearance. Laser-based obstacle detection systems are commercially available for power line detection on-board manned helicopters. Typically, they are designed to detect at 600 m cables with diameter of several centimeters, stretching in a linear fashion between towers with no clutter. The emphasis is on early and reliable detection and not on 3-D reconstruction [10]. Other sensing modalities tested include millimeter wave radar [11] and passive infrared camera [12]. Trip-wires, used in some landmines, can be detected, using passive polarimetric infrared sensors [13] or active illumination with short-wave infrared laser [14]. Those wires are a few millimeters in diameter and cluttered by vegetation.

The accurate 3-D reconstruction of thin structures is very difficult in natural cluttered settings such as the ones encountered by ground mobile robots. Thin structures will produce mixed pixels that are difficult to compensate for using methods based on local smoothness of the scene [15]. Tuley in [16] reported interesting results on analysis and removal of artifacts in 3-D LADAR data for simple natural scenes.

Only one publication dedicated to the detection of concertina wires could be found. In [17], the authors present a device to be effective at imaging glow-contrast underwater targets.

B. Segmentation

In this paper, we address the problem of structure detection and segmentation from 3-D point clouds collected from a single sensor location or integrated from multiple locations. In [2], Lacaze proposed to use the permeability of the scene to laser beam to discriminate between solid surfaces (ground, obstacle) and vegetation. This method is popular for outdoor robot navigation [18], [1], [19] but does not allow object segmentation or scene structures inference. Methods that fit primitives to point clouds are difficult to use practically for large data sets containing multiple complex structures, in opposition to multiple planar surfaces that can be handled. Similar methods using a single range image are sensitive to occlusion. In addition they focus on piece-wise smooth structures, not on porous objects such as a concertina wire. Tensor voting was proven to be a powerful tool to segment surface, curve and junction from 3-D data [6]. We follow a similar approach in [20], as described in the next section. Tubular structures from veins can be extracted from dense 3-D volumetric medical data [21]. Data that differs very much from the sparse discontinuous data we work with.

C. Our previous approach

In [20], we proposed a method to classify 3-D LADAR data in natural terrain into three classes: vegetation, solid surface and linear structure. The method estimates the local point distribution in space and uses a Bayes classifier to produce the probability of belonging to each class. Priors are modeled as Mixtures of Gaussians and parameters are learned using the Expectation-Maximization algorithm (EM) on labelled data. At each point, the scatter matrix is computed using a predefined support region. The principal components of this matrix are used to define three saliency features for each scale [6], characterizing the 3-D points’ spatial distribution into the three classes.

We demonstrated this approach for general purpose terrain classification and wire detection with the GDRS XUV unmanned vehicle. Tests were conducted at Fort Indiantown Gap in the spring of 2004. Figure 2 show a typical result obtained. The processing was done on-board of the XUV. The XUV was teleoperated and directed toward a wire at roughly 2 m/s. Results of the on-board processing was send back to the operator control unit via a wireless link. The data exchange between the different processes (laser data acquisition, processing, display) was done though shared memory using the Neutral Message Language (NML).

This method gives good results with thin linear objects with low curvature. Multiple thin linear objects close to each other, intersecting or forming junctions are more challenging. Thin structures forming a compact pattern such as a coil fall into that category. Figure 9-(c) shows an example where a complex symmetric structure cannot be detected reliably with such a method. The scene contains a concertina wire cluttered by vegetation. Most of the points from the structure are classified as scatter (green points) while few are as linear structure (blue points) as we would like to see. In the next section we present a method to address this problem.
Fig. 3. (a) Projection for bilateral symmetry detection. (b) Example of data from a concertina wire projected into two plane configurations: the top/bottom 2-D histograms correspond to the plane orientation with the highest/lowest score, the right/left 2-D histograms correspond to $H_+$ and $H_-$. (c) Symmetry measure for a location with a symmetric structure and a random structure.

Fig. 4. (a)-(b) Dominant symmetry direction and amplitude computed for multiple locations from a concertina wire and foliage data. In red the most likely symmetric direction and in blue the less likely. (c) Projection plane lattice resolution influence. Symmetry measure for one location, with a constant support region but with different projection cell resolution.

III. APPROACH

A. Structure characterization

Our approach is inspired by the work of Kazhdan et al. in [22]. The authors propose to use a reflective symmetry descriptor to build a signature of a 3-D object that can be used for evaluating object similarity. Our approach differs in a number of areas. The authors deal with scenes made of a unique complete object (no missing data, no clutter). We are dealing with partial data of an object of interest submerged in clutter. The authors deal with object comparison, we are dealing with structure detection and then segmentation. In addition we do not compare against a data base model. Several methods have been proposed to detect reflective/bilateral symmetry [23], [24], [25], [26]. We decided to follow the approach of [8], [9] which projects the data into a different subspace to perform comparison.

B. Dimension reduction

The core of the method is to project and accumulate the 3-D points of the scene into a gridded planar surface to produce a 2-D histogram for each orientation of the plane. Figure 3-(a) illustrates the geometry of the projection. For each orientation, two 2-D histograms ($H_+$ and $H_-$) are produced corresponding to the projection of the points in the two volumes ($Vol_+$ and $Vol_-$) separated by the projection plane. The method is characterized by the following parameters: the width (W) and height (H) of the planar area where points are projected, the maximum distance to the plane for a point to be projected ($d_{\text{max}}^\text{proj}$), the number of bins in the projection plane ($n_w \times n_h$) and the size of the bins ($s_w \times s_h$), the location of the center of the projection plane ($O_p$), and finally the axis (A) and the angle ($\theta$) of rotation of the plane. In this paper the axis A is aligned with the vertical. Figure 3-(b) shows two examples of 2-D histograms computed for the same location (center of the coil) but for different plane orientations. The projection plane contains $20 \times 20$ square bins, 5 cm wide. $d_{\text{max}}^\text{ proj}$ is set to 1 meter. The darker the pixel is, the higher the density of points in the bin is.

A measure of bilateral symmetry is naturally computed by comparing the two 2-D histograms $H_+$ and $H_-$. Several distance measures, such as histogram intersection or the Earth Mover’s Distance [27], can be considered. Here we use the normalized correlation, denoted $R(H_+, H_-)$ with $R \in [-1, 1]$, which was used by Johnson in [8] with similar
signatures.

By computing this symmetry value for different plane orientations we obtain a curve \( R = f(\theta) \). Figure 3-(c) shows two examples: one from a concertina wire data and the other from random data. The absolute maximum of the curve determines the orientation and the intensity of the dominant local bilateral symmetry of scene.

In the next section we review the properties of the method, we present experimental results on wire detectability, and results on a concertina wire detection in cluttered vegetated terrain.

C. Other approaches considered

Other approaches were considered to address this problem: directional saliency and range image segmentation.

1) Directional saliency: The idea is to use not only the saliency value from the method presented in Section II-C but to associate a direction with the surface-ness value (normal direction) and linear-ness value (tangent). The two critical issues are the scale selection and the segmentation. Figure 5 presents two results of the use of directional saliency. In Figure II-C-(a) a small neighborhood size is selected and the directional vector fit well to the wire structure. In Figure II-C-(b) a larger neighborhood size is selected and the directional vector fit well to the coil structure rather than to the wire structure. This example is very favorable because the ground has been filtered and there is no clutter. The second problem mentioned earlier is that we are still left with the detection of the concertina.

![Fig. 5. Thin structure detection using directional saliency. (a) Small scale detection (15 cm neighborhood). (b) Larger scale detection (1.25 m neighborhood).](image)

2) Range image: Obstacle detection in range images is a proven method for cross-country navigation [3]. Methods using range image to detect symmetric pattern are currently been considered because of their potential for speeding-up the processing time.

IV. IMPLEMENTATION AND EXPERIMENTATIONS

A. Properties

We now review five properties of the symmetry measure presented above: scale, angular resolution, discrimination against noise, projection plane resolution influence, and finally robustness against clutter.

1) Scale: Symmetry is a scale dependent property of objects. The scale is defined by the size of the projection area (\( W \times H \)) and the range of projection (\( d_{\text{proj}}^{\text{max}} \)). They are defined to capture the structure of the object of interest. In the example presented in this paper we choose \( d_{\text{proj}}^{\text{max}} \) equal to 1 or 1.25 m and a one meter square projection area.

2) Angular resolution: In the examples presented so far the symmetry measure is computed for every angle of the rotation plane, producing 180 values per location. In practice, the curves are smooth and it is therefore possible to evaluate the symmetry for a sparse set of orientation, thus speeding up the computation. In the example presented in Figure 9-(d) the angle interval is \( 4^\circ \).

3) Discrimination against random points: In Figure 4, we present results showing that the signature can discriminate between an organized points cloud from a concertina wire and scattered points from foliage. For multiple locations, symmetry curves are computed and the absolute extrema are extracted. Figures 4-(a) and 4-(b) show their distribution for a concertina wire and foliage respectively. In Figure 4-(a) points are clustered around the direction \( 90^\circ \) corresponding to the plane normal to the main axis of the coil. In Figure 4-(b) the data is distributed randomly. Note the difference of symmetry intensity between the two graphs.

4) 2-D histogram resolution: Figure 4-(c) shows the influence of the projection plane resolution on the symmetry value. We use data from a concertina wire. The range of influence and the size of the projection area are maintained constant, set both at 1 m. Three pixel resolutions are used 5, 10 and 25 cm. As the resolution decreases, new modes appear in the graph (118° and 142°), the symmetry value increases but the value of the dominant symmetry mode remains at the same location (90°) and its maximum well above the mean value.

5) Clutter: One critical property for the approach to be applicable in vegetated terrain is the ability of the signature to handle clutter around the structure of interest. We compared the symmetry curve, for two projection plane lattice resolutions, for a concertina wire without, and with different levels of clutter simulated using a Poisson distribution, following [28]. Figure 6-(a) shows a top view of the scene corrupted with noise. The other graphs in Figure 6 show the symmetry curve for the same location, for the same range (1 m), the same projection plane size (1 m \( \times \) 1 m) but at two different resolutions (10\( \times \)10 and 20\( \times \)20). Note that, in each graph, the curves are similar. The scene contains 2388 points from the concertina. The volume occupied is 2.5 m \( \times \) 1 m \( \times \) 1 m. The three levels of noise considered correspond to 100, 150 and 200 noise points per cubic meter.

B. Configuration space exploration

In our current implementation, the intensity and direction of the bilateral symmetry is computed on a 3-D lattice spaced every half to one meter. Figure 7 shows an example of such a result. In this top view of the scene of an isolated coil of wires, LADAR points are in red, the lattice
points are in green and the direction and intensity of the symmetry is represented as a blue vector. Note the change of orientation of the main axis of the coil correctly captured by the direction of the blue lines. The break point is located at (0.25,3.25). The ground data points are filtered out before processing.

Table II contains for each sensor the maximum range at which two of the wires are detectable. All but the Z+F laser are Pulsed laser. The Z+F, a continuous wave laser, was strongly susceptible to mixed pixels as expected.

**TABLE II
MAXIMUM RANGE DETECTION IN METER**

<table>
<thead>
<tr>
<th>Sensor</th>
<th>Black wire</th>
<th>Copper wire</th>
</tr>
</thead>
<tbody>
<tr>
<td>Sick</td>
<td>6.65</td>
<td>9.00</td>
</tr>
<tr>
<td>Z+F</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>Riegl waveform sensor</td>
<td>19.00</td>
<td>28.00</td>
</tr>
<tr>
<td>Riegl first pulse unit</td>
<td>23.00</td>
<td>39.00</td>
</tr>
</tbody>
</table>

We used an actuated SICK LMS-291-SO5 mounted on a cart to collect 3-D scans. We performed a test to determine the detectability of a concertina wire using the highest angular resolution setting of the scanner. With such setting the laser produce 400×800 points for a field of view of 100°×120°. In Table III is shows the counts of range measurements from the concertina wire scanned at different distances. The ground was filtered and the remaining data manually labeled. For some of the same distances, Figure 8 shows a front view of the 3-D data, with the elevation color coded. Note that the coil structure is preserved up to 8 meters in the configuration tested. At 13 m there is only spare returns from the target.

**TABLE III
WIRE DETECTABILITY BY THE ACTUATED SICK LASER AT LOW ANGULAR RESOLUTION. THE RANGE IS IN METER**

<table>
<thead>
<tr>
<th>Range</th>
<th>Points</th>
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<tbody>
<tr>
<td>2.6</td>
<td>2506</td>
</tr>
<tr>
<td>3.6</td>
<td>1065</td>
</tr>
<tr>
<td>4.6</td>
<td>1178</td>
</tr>
<tr>
<td>5.6</td>
<td>820</td>
</tr>
<tr>
<td>6.8</td>
<td>521</td>
</tr>
<tr>
<td>7.6</td>
<td>389</td>
</tr>
<tr>
<td>8.6</td>
<td>219</td>
</tr>
<tr>
<td>9.6</td>
<td>171</td>
</tr>
<tr>
<td>10.6</td>
<td>138</td>
</tr>
<tr>
<td>11.6</td>
<td>98</td>
</tr>
<tr>
<td>12.6</td>
<td>72</td>
</tr>
</tbody>
</table>

2) Scene segmentation: We collected data sets of the coil positioned in a vegetated terrain, seen from different viewpoints and with different level of clutter. Figure 9-(a) is an image of the scene. Results from the processing of two data sets are presented here: normal incidence with clutter (Figure 9-(a/b/c/d)) and oblique view angle with no clutter (Figure 9-(e)/(f)). The laser is positioned at 7 m from the coil and the scanner is set in high resolution mode. For space consideration we decided not to present the corresponding Figure 9-(b/c) for the oblique view.
Fig. 8. Front view of a concertina wire sensed at different distances with a Sick laser.

The data was processed in three steps: 1) ground separation, 2) non-ground data classification in three classes (clutter, linear, surface), 3) dominant bilateral symmetry detection. The ground data is separated by using the method proposed in [4] and the result is seen in Figure 9-(b). The classification results of the step 2 can be seen in 9-(c). Notice that it is classified partially as linear and partially as vegetation. We mentioned this problem earlier in Section II-C. Figure 9-(d) shows the distribution of the dominant symmetry direction and value for an area surrounding the coil. The symmetry measure is calculated every four degrees. The coil contributes to the accumulation around the 22nd bin.

We produced similar results with the oblique view of the scene (Figure-(e/f)). Figure 9-(e) is a top view of the scene. The red points are the LADAR data, the green points are the locations where the symmetry has been evaluated, in blue, vectors representing the orientation and the intensity of the bilateral symmetry. The distribution of the same results is presented 9-(f). The concertina wire can be detected by clustering the data in the symmetry value, direction feature space. In this example, the coil is adjacent to but not cluttered by vegetation unlike in the previous example.

3) Complexity: The current implementation is designed for off-line processing. At this point we consider all the measurements collected from the laser, there is no 3-D points collapse into voxels like in [20]. In addition we sample the 3-D space regularly, there is no location selection like during the PerceptOR program. During this program, a similar approach of data reduction by projection was used to construct terrain signature for air-ground LADAR data registration for the purpose of ground robot localization. The approach was made more efficient, in terms of computation for on-board robot application and accuracy, because of a strategy for point selection. A priori good location candidates only were used to compute the signatures [4].

V. CONCLUSION

In this paper, we investigate a method to detect concertina wire in LADAR data. The method allows the recovery of the local dominant bilateral symmetry direction and intensity. We show the influence of the method parameters using data from a controlled environment. We also show segmentation results of the concertina wire in vegetated terrain.

But the larger problem addressed here is the one of detecting organized thin structures in 3-D LADAR data. This work is a new contribution of our effort started in [4] and pursued in [20] to reliably segment vegetation terrain for ground mobile robot navigation. Future work will address the characterization of additional gross structures in addition to the current bilateral symmetry. Statistically significant evaluations on various scenes are planned.

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REFERENCES


Fig. 9. Example of scene analysis. (a) The scene: concertina wire against vegetation with branches added to clutter the wires. (b) Segmentation of the ground points represented in light brown color. The rest of the points are colored based on their elevation. (c) Segmentation of the non-ground points into linear (blue), scatter (green) and solid (red) structures. (d) Symmetry direction and intensity distribution computed at locations selected randomly in the scene but below one meter elevation from the ground. Normal incidence data collection. (e) Top view of the scene. The red points are the LADAR data, the green points are the location where the symmetry has been evaluated, in blue, vectors representing the orientation and the intensity of the bilateral symmetry (f) Dominant symmetry direction and amplitude computed for multiple locations from the concertina wire and foliage data. In red the most likely symmetric direction and in blue the less likely. (c)/(f) produced using the side view data collection.