A STATIC TECHNIQUE FOR THE ELECTRO-MECHANICAL CHARACTERIZATION OF ORGANIC MEMS DEVICES FOR RF AND MICROWAVE APPLICATIONS

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A STATIC TECHNIQUE FOR THE ELECTRO-MECHANICAL CHARACTERIZATION OF ORGANIC MEMS DEVICES FOR RF AND MICROWAVE APPLICATIONS

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An approach for measuring force-dependent properties of microscopic structures commonly found in MEMS has been developed. The system has the capability of measuring forces and deflections on the order of micro-newtons and micro-meters, respectively. By implementing a visual inspection system, force can be selectively applied to localized areas on a beam, and the resulting force-deflection characteristic obtained from which beam stiffness and effective elastic modulus can be calculated. These results were compared to simulation, which was performed using ANSYS FEM code. In addition, by applying a known mechanical force, direct correlation to voltage and thus electrostatic force can be obtained, which also elucidates the magnitude of the electrostatic feedback effect. Characterization of other force-dependent parameters such as contact resistance at DC, in addition to isolation/insertion loss at RF and microwave frequencies was obtained experimentally from which parameters such as lumped capacitance and inductance can be extracted.
A static technique for the electro-mechanical characterization of organic MEMS devices for RF and microwave applications

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ABSTRACT

An approach for measuring force-dependent properties of microscopic structures commonly found in MEMS has been developed. The system has the capability of measuring forces and deflections of the order of micro-newtons and micro-meters, respectively. By implementing a visual inspection system, force can be selectively applied to localized areas on a beam, and the resulting force-deflection characteristic obtained from which beam stiffness and effective elastic modulus can be calculated. These results were compared to simulation, which was performed using ANSYS FEM code. In addition, by applying a known mechanical force, direct correlation to voltage and thus electrostatic force can be obtained, which also elucidates the magnitude of the electrostatic feedback effect. Characterization of other force-dependent parameters such as contact resistance at DC, in addition to isolation/insertion loss at RF and microwave frequencies was obtained experimentally from which parameters such as lumped capacitance and inductance can be extracted.

INTRODUCTION

Microelectromechanical (MEMS) devices are revolutionizing every aspect of technology as we begin to realize the benefits of integrating micromechanical structures with electronics. A widely studied micromechanical structure is the cantilever beam, which was first demonstrated in 1979 to switch low-frequency electrical signals using electrostatic actuation [1]. The electrical performance of the cantilever beam switch is closely tied to the beam properties; for example actuation voltages or contact forces are directly dependent on beam stiffness and surface conditioning and the latter parameters can be easily influenced by processing. The MEMS designer would thus benefit from an empirical quantification of such properties in order to ensure device reliability and optimize performance. In addition to existing techniques for quantifying such properties of microscopic structures, for example nanoindenters [2] and AFMs, we describe an approach that accurately quantifies force-dependent electrical and mechanical properties of the cantilever beam switch, and could be used to analyze other MEMS structures. This paper describes the use of this system to quantify parameters such as beam stiffness and its comparison to mechanical simulation, effective elastic modulus, actuation forces, and contact forces at DC and frequencies up to 10 GHz. The extraction of lumped capacitances will also be discussed.

EXPERIMENTAL SET-UP

The schematic of the set-up which was developed to quantify micron-scale forces and deflections on localized areas of the MEMS cantilever beam is shown in Fig. 1a. A standard laboratory micro-balance registers the force with a resolution of 1 μN, and a precision dial-indicator mounted on a height gauge was used to monitor the deflection, which can be measured to a resolution of 0.6 μm. The force is delivered via a modified pogopin tip, which is on a fixture that is placed directly on the microbalance. By placing the height gauge on an x-y table, fine alignment of the force to a specific area on the beam can be performed. This alignment was enhanced by
magnifying the device features using a telescope, which is connected to a video imaging system and provides a view of the device in cross-section, while deformation takes place. After calibration, the height gauge is moved up, so that a deflection is registered on the dial-indicator; the corresponding force supplied to the beam as registered on the microbalance is then recorded. Electrical connections are made to the device using fine gauge wire such that contact resistance and actuation voltages can be measured simultaneously with the force and deflection data. Figure 1b is a typical image resulting from the optical/video system showing the force tip located directly above the end of the MEMS beam.

Figure 1. (a) Schematic of set-up for performing contact-force, contact-resistance measurements; (b) the tip of the force delivery point shown located above the end of the MEMS beam.

RESULTS AND DISCUSSION

Stiffness determination

The repeatability error associated with the measurement system was determined to be 2%. Figure 2a depicts the force-deflection characteristic of a cantilever beam over 6 loadings. With the force applied at the end of the beam as shown in Fig. 1b, the stiffness k of the beam was obtained from the slope of this graph, and an average k of 1.56 N/m +/- 0.03 N/m (1-σ) was determined. This system was then used to characterize the k of several beam geometries. For example, the k of two structures can be calculated from Fig. 2b. The force was applied at the center of the capacitor electrode, which is some distance between the anchor and the free-end of the beam. A k value of 6.5 N/m and 2.5 N/m was calculated for structure 1 and structure 2, respectively, which confirms the notion that structure 1 is stiffer and would thus have a higher actuation voltage; this is consistent with the findings in [3]. Simulation results will be presented shortly.

Figure 2. (a) Determination of beam stiffness and repeatability; (b) spring constant of two structures.

If the force-deflection characteristic is extended to higher deflections, 3 distinct regimes emerge as indicated in Fig. 3a. The slope of the first region depicts the stiffness of the beam alone, similar to Fig. 2b. The second steeper region is believed to arise from the contact pad engaging the
signal traces. The third, highest slope region is where the top capacitor electrode has touched the substrate and is reflective of the stiffness of the measurement assembly, which was determined to be 12.7 kN/m from a calibration run; this is several orders of magnitude larger than the stiffness of the device. To the MEMS designer, the second region would be of significant interest since it provides a way to quantify the system stiffness when the contact pad has engaged the signal trace. This can be especially beneficial when two devices that have different contact pad materials are characterized as shown in Fig. 3a. With material A comprising the contact pad, the system stiffness when this contact pad touches the signal trace is determined to be 108 N/m. This is to be compared with the second device that has a contact pad made of material B, which results in a stiffness of 196 N/m. This appears to be consistent with the fact that the elastic modulus of material B is double when compared to that of material A, and so the latter case would result in a lower stiffness as is observed. Therefore, the set-up can be used to quantify system stiffness of varying materials that are located at different points on the beam.

It should be pointed out that the stiffness of the first region in Fig. 3a, which refers to the beam alone, is the same in both cases ~ 6.5 N/m. From a knowledge of k, the effective elastic modulus E of the beam can be derived and is given in Eqn. 1:

\[
E = \frac{12kl}{wh^3} \left( \frac{l^2}{3} + la + a^2 \right) \tag{1}
\]

where l, w, h, 2a are the beam length, width, thickness and length of the capacitor electrode, respectively. Note that this equation reduces to the straight cantilever beam fixed at one end case if \( a = 0 \). Given typical parameters of the beam, the effective elastic modulus E was calculated to be ~ 101 GPa from a measured k of 6.5 N/m.

This set-up can also be used to characterize the thermal response of MEMS devices. When currents of the order of hundreds of mA at power levels of ~ 1W are applied for some duration through the signal pads with a known mechanical force at the contact pad, the pad area is seen to geometrically distort. The force-deflection characteristic, shown in Fig. 3b, reveals this distortion since the contact pad appears to touch the signal trace at a smaller deflection. The slope of the second region, attributed to the contact pad, results in a stiffness change of less than 11 %, from 108 N/m before to 121 N/m after current application. This slight increase could be due to initial signs of aging, resulting from material hardening due to Joule heating. Such a system can thus be used to characterize the thermal response of MEMS devices under controlled conditions.

![Figure 3.](image)

Figure 3. (a) Comparison of stiffness of two contact pad materials; (b) change in stiffness observed after joule heating.

**ANSYS simulation**

Given the geometrical parameters of the straight beam device for which the measured data is shown in Fig. 2, an ANSYS model was constructed and the stiffness of various regions was determined from simulation and compared to the experimentally obtained values. The shell model and FEM analysis was used, and electrostatic force \( f_e \) was calculated using the equation for the
capacitor with two infinite parallel metal plates. The stiffness results are summarized in Table 1, which indicates the boundary conditions (BC) and load configurations. In case (iii), the force was applied at the capacitor electrode.

Table 1. Comparison of stiffness values between simulation and measurement

<table>
<thead>
<tr>
<th>BC and load configuration</th>
<th>k (N/m)-simulated</th>
<th>k (N/m)-measured</th>
<th>% difference</th>
</tr>
</thead>
<tbody>
<tr>
<td>(i) k_{beam} - force applied at capacitor</td>
<td>1.6</td>
<td>1.5</td>
<td>6</td>
</tr>
<tr>
<td>(ii) k_{beam} - force applied at contact pad</td>
<td>6.4</td>
<td>6.5</td>
<td>1.5</td>
</tr>
<tr>
<td>(iii) k_{system} (with contact pad engaged)</td>
<td>51</td>
<td>108</td>
<td>52</td>
</tr>
</tbody>
</table>

In general, the simulation value for the stiffness appears to be in close agreement to the measured values as shown in the last column of Table 1. The largest difference is in the stiffness of the system with contact pad engaged (iii). This may be because several assumptions were made, such as the true contact area being exactly equal to the overlap area at the signal traces. More work is necessary to isolate the reason for this difference.

ANSYS/Multiphysics was also used to model two types of devices that have geometries similar to structure 1 and structure 2 of Fig. 2b. The ratio of $f_c$ to $\delta_0$, where $\delta_0$ is the displacement at the capacitor center after a force $f_c$ is applied there, was calculated as the overall k. In this case, $k_{structure-1}$ is determined to be 2.51 N/m and $k_{structure-2}$ is 1.61 N/m. These simulation results agree qualitatively with the trend observed experimentally that structure 1 is less stiff compared to structure 2, as determined from Fig. 2b.

**Actuation voltage and the electrostatic feedback effect**

This set-up was also used to perform unique experiments to determine the direct equivalence of voltage to absolute electrostatic force. In this particular case, the device was pre-deflected at the capacitor electrode to a known value and the corresponding force applied to the device was recorded from the balance. A voltage was then applied between the capacitor electrodes to initiate electrostatic actuation. The mechanical force on the balance was seen to decrease as the voltage increased. A family of curves results, shown in Fig. 4a, which shows the exact correspondence of mechanical force to voltage and hence electrostatic force for various levels of increasing initial loads.

![Figure 4](image.png)

**Figure 4.** (a) Correlation between force and voltage; (b) voltage as a function of gap for measured device; (c) simulation results depicting the effect of the electrostatic feedback effect.

It should be apparent that the maximum voltage observed is about 82 V, which is the actuation voltage of this device; when the device is artificially deflected to distances beyond $d/3$, where d is the deflection of the beam, the system responds by self-actuating at voltages less than 82 V. During dynamic operation, the 82 V would be referred to as the pull-in voltage. From Fig. 4b,
which shows the voltage as a function of deflection at the capacitor electrode, it can be verified that the electrostatic feedback effect is indeed operative. Fig. 4c shows simulation results that compares the 2 cases: (i) electrical force not dependent on gap but on $V$ only, and (ii) electrical force dependent on voltage and gap which can be referred to as the electrostatic feedback effect. The force increase leads to a gap decrease and the gap decrease causes the force to increase. The curve in (ii) reflects physical reality and this agrees with experimental observations, as shown in Fig. 4b. Moreover, the maximum voltage in Fig. 4b occurs at approximately $d/3$, which is consistent with the theoretical predictions of Fig. 4c. In addition, an actuation voltage of 82 V corresponds to a force of 92 $\mu$N, which appears in agreement, to first order, with simulation.

**Contact resistance – contact force measurement**

This set-up was also used to measure contact forces necessary for electrical closure to occur at the contact pad. Figure 5 shows the force-deflection-resistance characteristic for a beam with the force applied at the end of the beam or contact pad. From this it can be deciphered that electrical contact is achieved in the steeper portion of the curve shown in (i), at some point after the contact pad has first touched the signal traces. The extra force beyond initial contact or the net contact force is indicated as $\Delta F$ when initial conductivity, shown by curve (ii), is first observed. With an increase in $\Delta F$ beyond 200 $\mu$N, the resistance is seen to sharply decrease with force, until an equilibrium value is reached which results in a contact resistance of less than 60 m$\Omega$. This decrease in resistance with force has been observed in the past [4, 5] and is attributed to an increase in the contact area of surface asperities, which plastically deform until the constriction resistance is finally attained [6]. Using this set-up the MEMS designer can thus benefit from a knowledge of the actual contact forces necessary, which is a unique function of geometry and surface conditioning, to ensure DC conductivity.

![Figure 5. Force-deflection-resistance characteristic for a device indicating extra force beyond initial contact is required for DC conductivity.](image)

**Contact force measurements for RF**

Besides DC measurements, the set-up was adapted such that electrical measurements could also be performed at high frequency. A network analyzer was used with a high-frequency test fixture which consisted of microstrip edge terminations that were spring loaded and could be connected to the transmission lines on the substrate; these lines were designed to have an impedance of 50 $\Omega$ on the particular substrate on which the MEMS device was fabricated. This test fixture was mounted on the force-deflection system using a specially designed holder, in much the same way as shown in Fig 1a. Ports 1 and 2 of the Network Analyzer were connected to the input and output RF lines of the MEMS device.

S-parameter data was gathered as a function of deflection and force applied at the contact pad. Fig. 6a shows the isolation and insertion loss as a function of frequency up to 10 GHz for 3 force levels. As force is applied to the free end of the beam, the gap decreases which decreases the
isolation. In this case, a particularly large force is required to bring the switch to the insertion loss state and may have to do with the surface characteristics of this particular device. Figure 6b shows the isolation/insertion loss as a function of gap for 3 frequencies which suggests that the isolation becomes worse at higher frequencies. This data also indicates that the gap appears to have little influence on isolation for gaps beyond about 50 μm at these frequencies; below 50 μm the isolation decreases rapidly with gap. By modeling S-parameter data according to Eqn. 2 obtained from [7],

$$|S_{21}|^2 = \frac{4\omega^2 C^2 Z_0^2}{\pi^2}$$  \hspace{1cm} (2)

where ω, C, and Z₀ are the frequency, capacitance and characteristic impedance, respectively, the

![Image](a)

Figure 6. (a) Isolation/insertion loss as a function of (a) frequency for 3 forces, resonances are also observed; (b) gap for 3 frequencies.

 capacitance C can be extracted as a function of gap; for example, in the off-state a net capacitance of 10 fF was calculated. Also shown in Fig. 6a are resonances which occur between 4 – 6 GHz and above 9 GHz. The resonances in either band tend to shift to a lower frequency when higher force is applied, which would decrease the gap. This seems consistent with what is expected, as a reduced gap leads to an increased capacitance, which would decrease fₗ according to Eqn. 3,

$$f_\ell = \frac{1}{2\pi\sqrt{LC}}$$  \hspace{1cm} (3)

Given the location of fₗ the inductance can be calculated by which was determined to be ~ 70 nH in the open state. Therefore, such a system allows parameters such as lumped capacitances and inductances to be determined as a function of gap and force, which can be of extreme benefit to the MEMS designer.

SUMMARY AND CONCLUSIONS

A simple, flexible and accurate technique was developed and described that allows the measurement of micro-newton forces and deflections of MEMS structures. Several examples were highlighted where force-dependent mechanical and electrical parameters were obtained using this set-up. The empirical knowledge of these parameters is of extreme benefit to the MEMS designer in order to design devices that operate reliably. Such information can ultimately be used to optimize device performance.

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