HIGH FREQUENCY SEISMIC SOURCE
CHARACTERISTICS OF CAVITY DECOUPLED
UNDERGROUND NUCLEAR EXPLOSIONS

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The objectives of the research summarized in this report have been to conduct a more rigorous theoretical examination of the high frequency characteristics of the seismic sources corresponding to cavity decoupled nuclear explosions and to assess the implications of these investigations with regard to the detection and discrimination of small decoupled explosions. This study has been carried out using a combination of deterministic simulations and analyses of empirical data recorded from selected cavity decoupled explosions.

With regard to the deterministic simulations, a series of nonlinear finite difference calculations have been performed to simulate cavity decoupled explosions in unsaturated tuff and salt emplacement media. These calculations provide important insights into the detection and discrimination of small decoupled explosions.
simulations have confirmed the fact that the simple step pressure approxima-
tion is not valid at high frequencies and that the initial pressure spike on
the cavity wall can induce significant nonlinear response. In particular,
all the simulations conducted to date indicate enhanced seismic coupling at 
high frequency relative to that predicted using the classical step pressure 
approximation.

Preliminary analyses of high frequency seismic data recorded from the
STERLING decoupled explosion in salt and the MILL YARD decoupled explosion
in unsaturated tuff have provided evidence that the high frequency source
components associated with the complex cavity pressure loadings do effec-
tively couple into the seismic regime, in agreement with the predictions of
the nonlinear finite difference simulations. However, the observed complexity
of the propagation effects at high frequency raises questions as to whether
such source characteristics can be reliably recovered from the recorded
seismic data and used for identification purposes.
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I. INTRODUCTION

Cavity decoupled underground nuclear explosions in the yield range from 1 to 10 kt can be expected to generate seismic signals corresponding to $m_B$ values in the 2.0 to 3.0 range and, consequently, such events pose a severe test for a seismic monitoring network. In particular, even assuming the existence of an internal network capable of detecting such events, it is not yet clear how they could be differentiated from the background of many small earthquakes and routine chemical explosions of comparable size which can be expected to be detected by the network. Evernden et al. (1986) and others have suggested that it may be possible to resolve this discrimination problem using high frequency (> 20 Hz) seismic data. However, these arguments are speculative to the extent that little is currently known about the high frequency source characteristics of such events, particularly for cavity decoupled explosions. The objectives of the research summarized in this report have been to conduct a more rigorous theoretical investigation of the high frequency characteristics of decoupled seismic sources and to assess the implications of these investigations with regard to the detection and discrimination of small decoupled explosions. This is being accomplished through a combination of detailed deterministic simulations and analyses of empirical data recorded from selected cavity decoupled explosions.

The organization of this report may be briefly summarized as follows. A review of decoupling phenomenology is presented in Section II, with specific emphasis on those aspects of the problem affecting high frequency coupling effectiveness. This is followed in Section III by a description of the results of a series of detailed, nonlinear finite difference calculations which have been carried out to simulate the seismic source functions corresponding to coupled and
decoupled explosions in unsaturated tuff and salt emplacement media. Results of preliminary analyses of high frequency seismic data recorded from the STERLING decoupled explosion in salt and the MILL YARD decoupled explosion in unsaturated tuff are presented in Section IV. This is followed in Section V by a summary and a statement of preliminary conclusions regarding high frequency seismic monitoring of small decoupled explosions.
II. REVIEW OF DECOUPLING PHENOMENOLOGY

The concept that it might be possible to significantly reduce the seismic signal radiated by an underground nuclear explosion by detonating the device in a cavity (i.e., cavity decoupling) was first proposed publicly by A. L. Latter at the 1959 Nuclear Test Ban Conference in Geneva (Latter, 1959). However, despite the fact that nearly 30 years have now elapsed since its introduction, a number of major issues of importance with respect to seismic monitoring still remain unresolved. This is particularly true with regard to the potential utility of high frequency seismic data of the type which might eventually be collected by regional, in-country monitoring stations. Before proceeding on to a detailed theoretical consideration of these issues, it is appropriate to first review some of the general principles governing the seismic source characteristics of coupled and decoupled underground nuclear explosions.

Surrounding every fully coupled underground explosion is a region in which the material response is nonlinear. This corresponds to the regime where the shock pressure is high enough to cause vaporization, crushing and cracking of the medium. As the range from the detonation point increases, however, the shock pressure decays to a level ($P_{el}$) at which the response is linear and it is the forcing function acting at this radius which defines the characteristics of the radiated seismic waves which are used for detection and discrimination purposes. This radius is commonly called the elastic radius and denoted as $r_{el}$. Consider the case in which the pressure function acting at $r_{el}$ is a simple step in pressure, $P_{el} H(t)$. Then, it can be shown (Mueller and Murphy, 1971) that the amplitude of the seismic source function, $S(\omega)$, in the low frequency limit is given by
Now, if $P_{el}$ is proportional to the overburden pressure, $\rho gh$, then it follows from (1) that, at a fixed depth $h$, the low frequency coupling efficiency will depend only on $r_{el}$. But, to a first approximation, the peak shock pressure decreases with distance $r$ as $r^{-n}$ where $n$ is the medium-dependent attenuation rate. Thus, $r_{el}$ decreases as $n$ increases, and the reason cavity decoupling works is that for strong shocks in air $n = 3$, while in rock $n \approx 2$ (Brode, 1968; Rodean, 1971). That is, an explosion is said to be fully decoupled if it is detonated in a cavity which is large enough that the surrounding medium undergoes no nonlinear deformation. It follows from the above discussion that the radius of the cavity required to fully decouple an explosion is smaller than the elastic radius associated with a fully coupled explosion of the same yield and consequently, by equation (1), its low frequency coupling efficiency is lower.

The criterion for full decoupling is usually expressed in terms of a requirement that the late-time, equilibrium pressure in the cavity be less than or equal to some constant, $k$, times the overburden pressure. That is (Latter, et al., 1961)

$$\frac{(\gamma-1)W}{\frac{4}{3} \pi r_c^3} \leq k \rho gh$$

(2)

where $\gamma$ is the gas constant (1.2 for air), $W$ is the yield, $r_c$ is the cavity radius and $k$ is generally taken to lie in the range from 0.5 (Latter criterion) to 1.0 (Patterson criterion). Thus, the Latter criterion incorporates a safety factor of two which was designed to accommodate the large initial pressure spike which acts on the cavity wall before the cavity pressure reaches the equilibrium value given by
equation (2). We will return to consider the effects of this spike in more detail later in this report. In any case, it follows from (2) that, using this criterion, the minimum cavity radius required for full decoupling will be given by

\[ r_c = \frac{2.74 \times 10^2}{(k \rho)^{\frac{1}{3}}} \left( \frac{W^{\frac{1}{3}}}{m} \right) \]

for \( W \) in kt, \( h \) in m and \( \rho \) in gm/cm\(^3\). Thus, the cavity radius required for full decoupling is proportional to the cube-root of the yield and inversely proportional to the cube-root of the depth of burial. This is illustrated in Figure 1 which shows \( r_c \) as a function of \( W \) and \( h \) for the case \( k = 1, \rho = 2.0 \) gm/cm\(^3\). The depth range considered extends from what is denoted "minimum containment depth" to a fixed (i.e., yield independent) upper limit of 2000 m which corresponds to a constraint (due to plastic flow) on the depth at which stable cavities can be constructed in salt. The minimum containment depth refers to the depth required for containment of a coupled explosion of yield \( W \) (i.e., approximately 122 \( W^\frac{1}{3} \) m). Although this criterion does not apply specifically to decoupled explosions, it is probably representative of the type of conservatism an evader would have to adopt. The dashed horizontal lines on this figure denote the maximum feasible cavity radii as estimated by Evernden (1976) and Rodean (1971). Evernden's upper limit is based primarily on theoretical arguments and appears to be overly pessimistic given that the Russians have reported the existence of a free-standing, explosively-generated cavity in salt which is bigger than his upper bound (35 m vs. 30 m). Rodean's upper limit estimate, on the other hand, is empirically based and would seem to be more nearly appropriate in that it corresponds to the largest cavities which have ever been constructed by the natural gas industry using solution mining techniques in salt. However, it should be noted that these very large solution cavities are generally
Figure 1. Cavity radii required for full decoupling as a function of source depth and yield; Patterson criteria, $\bar{\sigma} = 2.0$ gm/cm$^3$. 
neither spherical or free-standing (i.e., they usually are filled with pressurized gas). Thus, the feasibility of constructing decoupling cavities with sizes near Rodean’s upper limit has yet to be fully demonstrated. Moreover, for media other than salt, there is no evidence that free-standing cavities with radii approaching even Evernden’s limit have ever been successfully constructed. Thus, there are significant practical limitations on the size of an explosion which can be fully decoupled in an underground cavity.

The simplified coupling analysis represented by equation (1) is a low frequency approximation and is not generally applicable to the high frequency seismic signals which might be detected by a regional network. The reason for this is illustrated in Figure 2 which compares estimates of the seismic source functions for coupled and fully decoupled 10 kt explosions at a depth of 828 m in salt (Murphy, 1979). It can be seen that, using these analytic approximations, both source functions are approximately flat at low frequencies and decrease as $\omega^{-2}$ above a characteristic corner frequency. Moreover, since this characteristic corner frequency is proportional to $r_{el}^{-1}$, it is larger for the decoupled explosion than it is for the coupled explosion. Thus, taking the ratio of these two source functions gives rise to a frequency dependent decoupling factor such as that shown in Figure 3. It can be seen that for this source approximation the decoupling factor is approximately constant up to the corner frequency of the coupled source function, above which it decreases as $\omega^{-2}$ up to the corner frequency associated with the decoupled source function. Beyond this frequency, the decoupling remains at a constant (lower) value, or at least begins to decrease less rapidly, depending on the details of the high frequency specification of the decoupled source function. This prediction that decoupling efficiency will decrease with increasing frequency constitutes one of the
Figure 2. Comparison of theoretical coupled and fully decoupled seismic source functions, \( W = 10 \) kt, \( h = 828 \) m, SALMON salt.
Figure 3. Predicted frequency dependent decoupling factor, $W = 10 \text{ kt, } h = 828 \text{ m, SALMON salt.}$
reasons why high frequency monitoring of such explosions appears to be attractive. On the other hand, as has been pointed out by Murphy (1979) and Evernden et al. (1986), it may be feasible for an evader to at least partially overcome this limitation and increase the decoupling efficiency at high frequencies. The reasoning that leads to this conclusion may be summarized as follows. Assume that the decoupled seismic source function can be approximated as a simple step in pressure, \( P_H(t) \), acting on the wall of a cavity which is large enough to fully decouple the explosion. Then, by analogy with equation (1), it can be shown (Mueller and Murphy, 1971) that the amplitude levels of the seismic source function in the low and high frequency limits scale with the pressure level and cavity radius according to the relations

\[
\lim_{\omega \to 0} |S(\omega)| \sim P r_c^3
\]

\[
\lim_{\omega \to \infty} |S(\omega)| \sim P r_c
\]

(4)

It follows that if \( r_c \) is increased by a factor \( k \), then \( r_c^3 \) increases by a factor \( k^3 \). However, by equation (2), the equilibrium pressure in the cavity \( P \sim r_c^{-3} \), so that \( P \) decreases by \( k^3 \) and the product \( P r_c^3 \) is independent of \( r_c \). Thus, as was originally concluded by Latter et al. (1961), the low frequency decoupling effectiveness is independent of cavity radius as long as \( r_c \) is greater than the radius required for full decoupling, \( r_d \). However, by the same line of reasoning, it can be seen from the second of equations (4) that if \( r_c = k r_d \) \((k > 1)\), then the high frequency decoupled seismic source decreases by a factor of \( k^2 \) and, consequently, the high frequency decoupling efficiency increases by this amount. This predicted effect is illustrated in Figure 4 which shows the frequency dependent decoupling
Figure 4. Predicted variation in decoupling as a function of cavity radius, \( W = 10 \) kt, \( h = 828 \) m, SALMON salt.
expected as a function of cavity radius for a 10 kt explosion in salt. Thus, the decoupling efficiency at high frequencies predicted by this simple source model can be improved somewhat at the cost of constructing a larger cavity.

In the preceding discussion we have briefly summarized the conventional wisdom concerning the seismic source characteristics of cavity decoupled explosions as represented by the analytic solution to the idealized problem of the linear, elastic response of an infinite homogeneous medium to a step in pressure in a spherical cavity. The applicability of this model at low frequencies has been verified to some extent by the limited experimental data which are available for analysis. However, it has long been recognized that this simple, low frequency approximation may not be applicable to the high frequencies of potential interest in regional seismic monitoring. For example, Figure 5 shows a comparison of the cavity pressure history computed by Patterson (1964) for a 5 kt explosion in a 51.2 m radius cavity using a nonlinear finite difference code with the simple step pressure approximation. It can be seen that the more precise finite difference solution predicts a large (nearly 1.6 kilobar) initial pressure spike on the cavity wall, followed by a rapid decay and subsequent oscillation about the steady-state value characteristic of the step function approximation. It is not clear at the present time how this complex pressure history might affect the corresponding decoupled seismic source functions, but Figure 6 shows a comparison of the seismic source functions computed from the two pressure histories of Figure 5 assuming linear, elastic response of the medium in both cases (Murphy, 1979). It can be seen that these two source estimates are roughly comparable at low frequency, but diverge significantly for frequencies above about 20 Hz. For example, the peak at about 65 Hz in Patterson's (1964) finite difference source corresponds to the inverse of the shock
Figure 5. Pressure on cavity wall associated with a fully decoupled 5 kt explosion.
Figure 6. Comparison of decoupled seismic source approximations for a 5 kt explosion in a 51.2 m radius cavity in SALMON salt.
reverberation time in the cavity which is not accounted for in the step approximation. A more fundamental concern is that the large initial pressure spike may well induce nonlinear response in the surrounding medium which could significantly modify the solution at both high and low frequencies. This complex issue will be addressed in more detail in the following section using nonlinear finite difference simulations of a variety of decoupled seismic sources.
III. NONLINEAR FINITE DIFFERENCE SIMULATIONS OF DECOUPLED EXPLOSIONS IN SALT AND TUFF EMPLACEMENT MEDIA

It was noted in the preceding section that most previous analyses of cavity decoupling have employed the highly oversimplified step pressure approximation to describe the decoupled seismic source function. The objective of the analyses summarized in this section has been to utilize the results of detailed, nonlinear finite difference simulations of cavity decoupled explosions to better define the broadband characteristics of the seismic signals actually generated by such sources. A series of numerical simulations of decoupled explosions in unsaturated tuff and salt emplacement media have been conducted in an attempt to accomplish this objective. The experimental reference point for the tuff analysis has been the MILL YARD test conducted in a hemispherical cavity at NTS. For salt, the experimental reference point has been the STERLING test which was conducted in Mississippi in the cavity created by the SALMON explosion. In both cases, the zone size in the finite difference calculations was selected to be small enough that frequency components well above the corner frequencies of the sources were accurately represented in the solution. That is, the simulated seismic source functions are relevant to the assessment of high frequency seismic monitoring of cavity decoupled tests.

The MILL YARD experiment was conducted at NTS in an 11 m radius hemispherical cavity excavated in unsaturated tuff at a depth of 375 m. The overburden pressure at this depth is about 65 bars and, consequently, an 11 m radius spherical cavity at this depth would be expected to fully decouple an explosion in the 20 (Latter criterion) to 40 (Patterson criterion) ton yield range. Consequently, nonlinear numerical simulations of the spherical cavity problem have been conducted for both the 20 ton and 40 ton cases.
using finite difference zoning fine enough to accurately represent frequency components as high as 500 Hz. The constitutive model for tuff used in these nonlinear simulations was based on the results of laboratory measurements on core samples taken from the MILL YARD test medium. Shear failure was modeled using a nonassociated flow rule with a parabolic failure surface having a stress difference at zero mean stress of 0.06 kilobars, an unconfined compressive strength of 0.10 kilobars and a maximum stress difference of 0.25 kilobars at mean stress levels above 0.30 kilobars. Based on the results of in-situ sonic logging, the P and S wave velocities were taken to be 2558 and 1372 m/sec, respectively. A detailed air equation of state was used to model the shock propagation inside of the 11 m radius cavity.

The cavity pressure as a function of time computed at a grid point near the cavity wall for the 20 ton nonlinear simulation is shown in Figure 7. It can be seen that this computed pressure profile is similar to that shown previously in Section II (cf. Figure 5) in that it is characterized by a sharp initial pressure spike associated with the reflection of the shock from the cavity wall, followed by reverberation oscillations which gradually damp out as the pressure converges to the late-time equilibrium value given by equation (2). The Fourier transform of this pressure loading is shown in Figure 8 where it is compared with that corresponding to the simple step pressure approximation. As was noted previously, the step function approximation significantly underestimates the high frequency content of the computed pressure acting on the cavity wall, particularly near the frequencies corresponding to the reverberation of the shock in the cavity.

The seismic source function computed for the 20 ton nonlinear simulation is shown in Figure 9 where it is compared with the linear elastic solution corresponding to the same cavity pressure loading. It can be seen that these two
Figure 7. Computed pressure as a function of time near the cavity wall for a 20 ton nuclear explosion in an 11 m radius spherical cavity in unsaturated tuff.
Figure 8. Comparison of the spectral composition of the complex pressure profile of Figure 7 with that associated with the simple step pressure approximation.
Figure 9. Comparison of linear and nonlinear seismic source functions computed for a 20 ton decoupled explosion in an 11 m radius spherical cavity in unsaturated tuff.
source functions are generally quite similar, particularly at high frequencies, with both showing corner frequencies of about 35 Hz and strong secondary reverberation peaks at around 200 Hz. Somewhat surprisingly, however, this comparison indicates increased decoupling effectiveness at low frequency in the nonlinear solution over that predicted for the linear, elastic solution, in apparent contradiction of the decoupling concept. Detailed examination of the nonlinear solution indicates that this phenomenon can be explained by the fact that in this unsaturated tuff medium, crush-up of the air filled porosity (1.8 percent) results in a decrease in the computed permanent displacement at the elastic radius and a corresponding reduction in the low frequency coupling effectiveness.

In an attempt to gain more insight into the specific cause of this reduction, supplemental 20 ton simulations were performed in which the seismic source functions corresponding to the classical step pressure approximation were estimated using both the nonlinear and linear elastic models of the tuff response. In this case, the two computed source functions were found to be essentially identical and it was therefore concluded that the nonlinear reduction in low frequency seismic coupling noted in Figure 9 must be associated with the response to the initial pressure spike acting on the cavity wall. It follows that the safety factor in the Latter decoupling criterion, which was designed to accommodate this pressure spike, is not sufficient to insure linear, elastic response, at least in unsaturated, porous tuff media.

The seismic source function computed for a 40 ton explosion in the same 11 m radius spherical cavity in tuff using the nonlinear finite difference algorithm is shown in Figure 10 where it is compared with the corresponding 20 ton solution which has been multiplied by a factor of two for approximate yield normalization. This comparison indicates that the relative coupling effectiveness at 40 tons is only
Figure 10. Comparison of 40 ton and yield-normalized 20 ton nonlinear seismic source functions computed for decoupled explosions in an 11 m radius spherical cavity in unsaturated tuff.
slightly increased at low frequency. In fact, the only significant difference between the two solutions is in the frequency of the reverberation peak which shifts to higher frequency in the 40 ton case due to the larger shock velocities. These results suggest that there is no reason to prefer the more conservative Latter decoupling criterion over that proposed by Patterson, at least for this source medium. The frequency dependent decoupling factors computed from these 20 and 40 ton simulations are shown in Figure 11 where it can be seen that, as expected, they are nearly constant at low frequency and decrease with increasing frequency above the corner frequencies associated with the corresponding coupled source functions. The principal differences with respect to the simple step function approximation are the pronounced minima in the decoupling effectiveness around 200 Hz associated with the cavity reverberation peaks. The computed decoupling levels decrease from about a factor of 40 at low frequency to values less than one above about 200 Hz. These values are low relative to those obtained from comparable simulations in salt and reflect the rapid shock attenuation which is predicted to occur in this weak tuff medium under the high pressures induced by coupled explosions. However, with respect to detectability, it is appropriate to note that the mb values for events in dry tuff have been observed to be as much as a full order of magnitude lower than those associated with explosions of comparable yield in hardrock or saturated media. Thus, very low signal levels would be expected from small decoupled explosions in this medium.

The STERLING experiment was conducted in a salt dome in Mississippi in the cavity produced by the SALMON explosion. The cavity was approximately spherical, with a radius of about 17 m and was located at a depth of 828 m. Since the overburden pressure at this depth is about 180 bars, such a 17 m radius spherical cavity would be expected to fully decouple
Figure 11. Comparison of frequency dependent decoupling factors computed from nonlinear simulations of 20 ton and 40 ton explosions in an 11 m radius spherical cavity in tuff.
an explosion in the 210 (Latter criterion) to 420 (Patterson criterion) ton yield range. STERLING had a yield of 380 tons, and thus was close to the Patterson limit. Consequently, a nonlinear simulation of a 380 ton nuclear explosion in a 17 m radius spherical cavity in salt was conducted in a preliminary attempt to investigate the high frequency seismic source characteristics of decoupled explosions in this medium. As in the tuff simulations, these calculations were carried out using a finite difference zoning which was fine enough to accurately represent frequency components as high as 500 Hz. The constitutive model used in these calculations was primarily based on the results of laboratory material property tests on polycrystalline salt (Heard et al., 1975). Shear failure was modeled using a nonassociated flow rule with a parabolic failure surface having a stress difference at zero mean stress of 0.14 kilobars, an unconfined strength of 0.31 kilobars and a maximum stress difference of 0.68 kilobars at mean stress levels above 0.60 kilobars. P and S wave velocities of 4551 and 2440 m/sec, respectively, were selected on the basis of analyses of SALMON free-field observations. In addition, a detailed equation of state was used to model the shock propagation inside of the 17 m radius cavity.

The cavity pressure as a function of time computed at a grid point near the cavity wall for the 380 ton explosion simulation is shown in Figure 12 where it can be seen that it is qualitatively similar to that estimated for the tuff simulation (cf. Figure 7). However, in this case the initial pressure spike has an amplitude of about 4 kilobars in contrast to the 400 bar spike amplitude of Figure 7. This reflects the fact that STERLING was conducted at much greater depth than MILL YARD and, therefore, could accommodate significantly higher pressures under the standard decoupling criteria. That is, according to these criteria, a significantly larger (i.e., 23 m radius) cavity would be required to decouple
Figure 12. Computed pressure as a function of time near the cavity wall for a 380 ton nuclear explosion in a 17 m radius spherical cavity in salt.
380 tons at MILL YARD depth and, in that case, much lower peak pressures would be expected.

The seismic source function computed from the nonlinear simulation is shown in Figure 13 where it is compared with the linear elastic solution corresponding to the same cavity pressure loading. It can be seen that, as with the tuff simulations, these two source functions are quite similar at high frequencies with both showing corner frequencies of about 40 Hz and strong secondary reverberation peaks at around 300 Hz. Unlike the tuff simulations, however, the low frequency differences in this case are in accord with what would be expected from simple decoupling theory. That is, the nonlinear solution predicts slightly (~ 20 percent) greater coupling than that computed using the linear approximation. Once again, the nonlinear response is associated with the initial pressure spike on the cavity wall, as evidenced by the fact that the computed nonlinear and linear responses to the classical 160 bar step pressure loading are essentially identical. Analysis of the nonlinear simulation results indicates that the predominant nonlinear mechanism in this case was yielding of the salt out to a radius of about 19 m, as opposed to the pore crush-up mechanism which predominated in the unsaturated tuff simulations. Furthermore, comparing Figures 13 and 9 it can be seen that the effects of the nonlinearity on the seismic coupling are much less pronounced in these salt simulations and, in fact, simulations conducted with yields closer to the 210 ton limit suggested by the Latter criterion indicate little or no nonlinear response of the cavity wall. Thus, for this salt model, there is a difference between the decoupling effectiveness obtained using the Latter versus the Patterson decoupling criterion. However, the differences are confined to low frequency and do not appear to be very significant in this case.

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Figure 13. Comparison of linear and nonlinear seismic source functions computed for a 380 ton decoupled explosion in a 17 m radius spherical cavity in salt.
In summary, preliminary cavity decoupling simulations have been conducted for explosions in unsaturated tuff and salt emplacement media. These simulations have confirmed the fact that the simple step pressure approximation is not valid at high frequencies and that the initial pressure spike on the cavity wall can induce significant nonlinear response. However, in all the simulations conducted to date the use of the more realistic cavity pressure loading has resulted in significantly enhanced seismic coupling at high frequency over that predicted by the simple step pressure approximation. It now remains to be determined whether these predicted high frequency effects can be detected in the observed seismic data and used for identification purposes.
IV. HIGH FREQUENCY CHARACTERISTICS OF THE STERLING AND MILL YARD SEISMIC SOURCE FUNCTIONS

The results of the finite difference simulations which were described in the preceding section indicated that there may be some characteristics of the high frequency seismic source functions associated with cavity decoupled explosions which could be exploited for identification purposes. In this section, an attempt will be made to assess whether evidence of these potentially diagnostic characteristics can be identified and confidently extracted from the available experimental data. More specifically, near-field seismic data recorded from the STERLING and MILL YARD nuclear decoupling tests will be examined for evidence of these theoretically predicted high frequency source characteristics.

4.1 STERLING

STERLING was a 0.38 kt nuclear test conducted in December, 1966 in the cavity created by the SALMON explosion which had previously been detonated at a depth of 828 m in the Tatum salt dome near Hattiesburg, Mississippi. As is indicated in Figure 14, the cavity was approximately spherical with a radius of about 17 m. With reference to equation (2), 0.38 kt in a 17 m radius spherical cavity would be expected to result in a late-time equilibrium pressure level of about 160 bars, which is close to the value of the overburden pressure of 180 bars at STERLING depth. Thus, STERLING was approximately consistent with the Patterson decoupling criterion.

Most previous analyses of STERLING free-field data have focused on lower frequency recordings made at ranges of greater than 160 m. However, Sisemore et al. (1969) did report broadband results obtained from an accelerometer located near shot depth at a range of only 52 m. The radial component
Figure 14. Cavity configuration for the STERLING decoupled explosion.
velocity time history inferred from this recording is shown in Figure 15 where it is compared with the results of two different theoretical simulations. The simulated velocity profile shown in the middle of this figure corresponds to the computed linear elastic response of the salt emplacement medium to the complex cavity pressure loading determined from a spherically symmetric finite difference calculation, while that shown at the bottom of the figure corresponds to the linear elastic response to the classical step pressure approximation. It can be seen from this comparison that even ignoring anelastic attenuation effects, the solution corresponding to the 160 bar step pressure underestimates the observed peak velocity by about a factor of three and does not match the oscillatory character of the observed velocity time history. The solution corresponding to the finite difference pressure simulation, on the other hand, provides a much better qualitative description of the observed data, although it does somewhat overpredict the peak amplitude and dominant frequency of the initial pulse. This is not surprising, since the combined effects of nonlinear and linear anelastic attenuation occurring between the cavity wall and the observation point at 52 m have been ignored in this simulation, and inclusion of any such effects would be expected to both broaden the initial pulse and reduce its amplitude. In any case, this observation provides convincing evidence that the high frequency characteristics of the actual cavity pressure loading were effectively coupled into the seismic regime in this case.

4.2 MILL YARD

The MILL YARD nuclear test was conducted at NTS on October 9, 1985 in a hemispherical cavity excavated in tuff. The cavity configuration is illustrated in Figure 16 where it can be seen that the cavity had a radius of 11 m and
Figure 15. Comparison of the STERLING radial component velocity time history observed in the free-field at a range of 52 m with two different synthetic approximations.
overlay a floor consisting of a 5 m thick layer of unconsolidated soil (Garbin, 1986). The cavity was constructed at a depth of 375 m in an unsaturated tuff medium characterized by a compressional wave velocity of about 2.5 km/sec. Figure 17 shows a vertical section through the shot point which indicates that the propagation path between the cavity and the ground surface directly above the shot (i.e., ground zero) consists of a variety of tuff layers characterized by different physical properties. Note that although there is some evidence of lateral heterogeneity, this section does not appear to be particularly complex, at least at the scale of this figure. We will return to this point later in our analysis of the characteristics of the seismic motions recorded at ground zero from MILL YARD.

Garbin (1986) analyzed both free-field and surface data recorded from this event and noted that the spectral compositions of the ground motions recorded in these two regimes are quite different. That is, the free-field data recorded at distances of about 6 and 13 m from the cavity wall are dominated by very high frequency (~ 1000 Hz) components, while those recorded at ground zero at a range of 375 m are dominated by components with frequencies of less than about 50 Hz. Garbin concluded that the MILL YARD free-field data are dominated by the motions induced by the initial pressure spike on the cavity wall. That is, as with STERLING, there is evidence that the potentially diagnostic, high frequency cavity source components do effectively couple into the seismic regime. However, the lower frequency content of the surface recordings indicates that frequency dependent attenuation can mask these source characteristics, even over relatively short propagation paths. This observation motivated a more detailed analysis of the spectral composition of the MILL YARD surface recordings.
Figure 17. Representative vertical cross-section through the MILL YARD cavity.
The initial P wave displacement spectrum derived from the vertical component ground motion recorded at ground zero is shown in Figure 18 where it is compared with the spectrum predicted theoretically for a step in pressure in an 11 m radius spherical cavity in a medium characterized by a compressional wave velocity of 2.5 km/sec. It can be seen that while there is evidence of some potentially interesting high frequency complexity in this observed spectrum, the most notable features of this comparison are the facts that the observed corner frequency is lower than expected and the spectral decay above the corner frequency is much more rapid than that predicted by the simple elastic solution. It was originally thought that these discrepancies might be related to the hemispherical geometry of the MILL YARD cavity. However, subsequent investigation has provided strong evidence that these two spectra can, in fact, be reconciled within the context of a fairly simple propagation path model.

The first step in the analysis was to estimate and correct for the effects of anelastic attenuation. This was accomplished using a model in which it was assumed that the P wave displacement source function should decrease approximately as $\omega^{-2}$ above the source corner frequency and that the frequency dependent attenuation effects of propagation could be accounted for by a conventional, constant Q operator. Application of this model to the observed P wave spectrum of Figure 18 leads to an estimated average Q value of about 10 for the path between the cavity surface and ground zero. Figure 19 shows the comparison with results from applying this attenuation correction to the observed spectrum of Figure 18. It can be seen that the Q-normalized observed spectrum is fairly consistent with the simple theoretical prediction, although there remain some significant spectral modulation effects which are not accounted for by the model. Analysis of the corresponding time domain signals provides insight.
Figure 18. Comparison of the observed MILL YARD ground zero P wave displacement spectrum with the spectrum predicted theoretically for a step in pressure in an 11 m radius spherical cavity.
Figure 19. Comparison of the attenuation normalized, MILL YARD ground zero P wave displacement spectrum with the spectrum predicted theoretically for a step in pressure in an 11 m radius spherical cavity.
into the cause of this spectral complexity. For example, Figure 20 shows comparisons between the observed ground zero acceleration, velocity and displacement waveforms with the vertical component synthetics predicted using the simple spherical cavity source model and an anelastic propagation model characterized by a Q value of 10. It can be seen from this figure that the dominant periods of the first half cycles of the observed acceleration and velocity waveforms are matched quite well by these synthetics, indicating that the inferred combination of source and Q models is approximately correct. However, the displacement comparison is less satisfactory and examination of the acceleration and velocity comparisons suggests that this may be due to interference with a secondary phase of opposite polarity arriving about 0.03 seconds after the first motion. The onset of this arrival is indicated by the vertical arrows above these traces and its phase relationship to the first arrival is most clearly indicated in the comparison of the observed and synthetic velocity waveforms. These observations suggest that the modulation evident in the observed displacement spectrum of Figure 19 may be due to interference between arrivals. In fact, the observed short time delay and phase relationship between the arrivals is suggestive of a near-surface reverberation effect. The plausibility of this interpretation is demonstrated more clearly in Figure 21 where the result of dividing the attenuation corrected spectrum of Figure 19 by the source spectrum corresponding to the step in pressure in the 11 m radius spherical cavity is displayed and compared with theoretical layer response functions computed assuming a two-way travel time in the layer consistent with the observed interference pattern and layer Q values of $\infty$ and 10 respectively. Thus, for example, if the near-surface compressional wave velocity is 1000 m/sec, then the observed delay time of 0.03 seconds would imply a layer thickness of about 15 m, which is not an
Figure 20. Comparison of observed MILL YARD ground zero acceleration, velocity and displacement waveforms with the vertical component synthetics predicted using the simple spherical cavity source model and an anelastic propagation model with $Q = 10$. 
Figure 21. Comparison of source and attenuation corrected MILL YARD ground zero displacement spectrum (top) with theoretical layer response functions computed assuming $Q$ values of $\infty$ (center) and 10 (bottom).
unreasonable value. It can be seen from this figure that the $Q = 10$ theoretical layer response agrees quite well with the normalized observed spectrum below about 80 Hz. The extent to which this model fits the time domain data is illustrated in Figure 22 where the comparison shown previously in Figure 20 has been modified to incorporate the effect of this $Q = 10$ layer response into the synthetics. It can be seen that these initial portions of the acceleration, velocity and displacement synthetic waveforms are now in excellent agreement with the observations, confirming the applicability of the inferred site response model. Finally, Figure 23 shows the comparison between the attenuation-normalized observed spectrum and the theoretical spectrum obtained by multiplying the step function solution times the layer response function. This comparison seems to confirm the fact that the MILL YARD P wave source function can be adequately approximated by a simple step in pressure in an 11 m radius spherical cavity, at least over this limited frequency range. That is, as was suggested by the finite difference simulations described in the previous section (cf. Figure 10), higher frequency data will be required to confidently identify the effects of the pressure spike and reverberations in the MILL YARD cavity. Unfortunately, the high degree of anelastic attenuation occurring along the propagation path to ground zero does not allow us to recover this high frequency information in this case.

It follows from the above discussion that very detailed path corrections will be required if high frequency seismic data are to be used to identify small decoupled explosions. Another example of the complexity of such propagation effects is provided by Figure 24 which shows the vertical and two horizontal components of displacements, velocity and acceleration recorded at ground zero from MILL YARD. In each case, the three orthogonal components of motion are plotted at the same absolute amplitude scale so that the
Figure 22. Comparison of observed MILL YARD ground zero acceleration, velocity and displacement waveforms with the vertical component synthetics computed by convolving the synthetics of Figure 20 with the Q = 10 layer response function from Figure 21.
Figure 23. Comparison of the attenuation-normalized, MILL YARD ground zero P wave displacement spectrum with the theoretical spectrum obtained by multiplying the step function solution of Figure 18 times the $Q = 10$ layer response function from Figure 21.
Figure 24. Comparison of vertical and horizontal components of displacement, velocity and acceleration recorded at ground zero from MILL YARD.
vector character of the motion can be examined. Now, in a plane-layered medium the initial P wave motion at ground zero would be expected to be negligible on the horizontal components, and it can be seen that this is essentially true for the displacement time-histories. However, in the progression to the higher frequency velocity and acceleration traces, this approximation begins to break down until, for the acceleration motion, the initial peak actually occurs on one of the horizontal components. This is rather surprising given the relatively uncomplicated vertical section through this propagation path shown previously in Figure 17 and provides further illustration of some of the complications which can obscure the interpretation of high frequency seismic data for identification purposes.
V. SUMMARY AND CONCLUSIONS

5.1 SUMMARY

Recently, Evernden et al. (1986) and others have suggested that the detection and identification of cavity decoupled nuclear explosions can best be carried out by seismic monitoring at frequencies above 20 Hz. However, this hypothesis is based, at least in part, upon the predictions of a highly oversimplified analytic seismic source model for decoupled explosions, and the applicability of this model at high frequencies has yet to be demonstrated either theoretically or experimentally. The investigations summarized in this interim report have centered on more rigorous investigations of the high frequency characteristics of such decoupled seismic sources. More specifically, a combination of detailed deterministic simulations and analyses of empirical data recorded from selected cavity decoupled explosions has been employed to investigate this issue.

A brief review of decoupling phenomenology was presented in Section II where the various decoupling criteria were defined and used to illustrate the dependence of the required cavity size on explosion yield and depth of burial. In addition, the classical step function pressure approximation to the decoupled seismic source function was compared with the seismic source corresponding to the more complex cavity pressure history predicted using nonlinear finite difference calculations in order to illustrate the discrepancies between these two source approximations at high frequencies.

The results of a series of detailed, nonlinear finite difference simulations of the seismic source functions corresponding to cavity decoupled explosions in unsaturated tuff and salt emplacement media were described in Section III where they were compared with the results of corresponding linear simulations. These comparisons were then used to
identify the mechanisms by which the initial transient pressure spike on the cavity wall induces nonlinear responses in these two media. As a result of this analysis, it was demonstrated that the use of a more realistic cavity pressure loading leads to significantly enhanced estimates of the seismic coupling at high frequency relative to that predicted by the simple step pressure approximation.

Preliminary analyses of high frequency seismic data recorded from the STERLING decoupled explosion in salt and the MILL YARD decoupled explosion in unsaturated tuff were presented in Section IV where an attempt was made to determine whether the theoretically predicted high frequency decoupling effects described in Section III could be detected in the observed seismic data. Using the results of these analyses, it was demonstrated that, while the high frequency source components associated with the complex cavity pressure loading do effectively couple into the seismic regime, the effects of propagation make it difficult to reliably extract these features from the measured data.

5.2 CONCLUSIONS

The results of the analyses described above support the following preliminary conclusions concerning the high frequency seismic source characteristics of cavity decoupled underground nuclear explosions.

(1) The results of a series of preliminary nonlinear finite difference simulations of cavity decoupling in tuff and salt emplacement media have confirmed that the simple step pressure approximation does not provide an adequate description of the high frequency seismic characteristics of such sources. In particular, all the simulations conducted to date indicate enhanced seismic coupling at high frequency relative to that predicted using the classical step pressure approximation.
The nonlinear simulations also indicate that, while the Latter decoupling criterion may be approximately correct for salt, it is not adequate to prevent significant pressure-spike induced nonlinearities in unsaturated tuff. For both tuff and salt, however, the decoupling effectiveness obtained using the Patterson criterion is not significantly different from that obtained using the more conservative Latter criterion.

The nature of the nonlinear response in unsaturated tuff is such that the decoupling effectiveness at low frequency is actually increased over that predicted by the linear, elastic solution. This reflects the fact that the predominant nonlinear mechanism in this medium is crush-up of the air filled porosity. In salt, on the other hand, where the predominant nonlinear mechanism is yielding, the nonlinear solution predicts decreased decoupling effectiveness relative to the linear, in accord with traditional decoupling concepts.

Examination of the free-field data recorded from both the STERLING and MILL YARD nuclear decoupling experiments indicates that the high frequency source components associated with the actual complex cavity pressure loadings do effectively couple into the seismic regime, in agreement with the predictions of the nonlinear finite difference simulations.

However, the observed complexity of the propagation effects at high frequency, as evidenced by the MILL YARD ground zero data, raises questions as to whether such source characteristics can be reliably recovered from the recorded seismic data and used for identification purposes.
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