REPORT NO. M24/80

Predicting Sweat Loss Response
To Exercise, Environment and Clothing

U S ARMY RESEARCH INSTITUTE
OF
ENVIRONMENTAL MEDICINE
Natick, Massachusetts

July 1980

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Predicting Sweat Rate Response to Exercise, Environment and Clothing

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Unlimited

Metabolic heat production (M), clothing heat transfer characteristics, and the environment dictate a required evaporative cooling (Ereq) from the body to maintain thermal balance. However, the maximal evaporative capacity (EX) is dictated by vapor transfer properties of the clothing and environment. Relationships between metabolic load, environmental conditions, clothing and sweat loss were studied in 34 heat acclimatized males categorized into 4 groups (8, 8, 8 and 10 subjects) and exposed to various environmental conditions (Tamb 20 - 34°C, and rh, 10 - 90%).

Sweat loss; required evaporative cooling; maximal evaporative capacity; humid and dry heat; heat transfer; clothing insulation and permeability; metabolism; heart rate; skin temperature; rectal temperature.
levels of metabolic rate (resting; walking 1.34 m · s⁻¹, level; and walking 1.34 m · s⁻¹, level; and walking 1.34 m · s⁻¹, 5% grade) while wearing various clothing ensembles (shorts and T-shirts, fatigues, fatigues plus overgarment, and sweat suit). Each group was not exposed to all combinations. Exposures lasted 120 min: either 10 min rest, 50 min exercise, 10 min rest, 50 min exercise, or 120 min at rest. Physiological measurements included heart rate, rectal temperature, mean skin temperature, energy expenditure and sweat loss (m). E_max and E_req were calculated from environmental conditions, metabolism, clothing insulation and permeability. The ratio E_req to sweat rate was found to correlate with E_max and not with M. The predictive equation for sweat rate was: 

\[ \dot{m} = 27.9 \cdot E_{\text{max}} \cdot (E_{\text{req}} - 0.455) \cdot g \cdot m \cdot h \] within the limits:

\[ 50 < E_{\text{req}} < 300; \ 20 < E_{\text{max}} < 525, \ W \cdot m \]. This formula predicts sweat loss under different work loads and climates.
Predicting Sweat Loss Response to Exercise, Environment and Clothing

Y. Shapiro, K. B. Pandolf, and R. F. Goldman

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Summary. Metabolic heat production (M), clothing heat transfer characteristics, and the environment dictate a required evaporative cooling (E_{\text{req}}) from the body to maintain thermal balance. However, the maximal evaporative capacity (E_{\text{max}}) is dictated by vapor transfer properties of the clothing and environment. Relationships between metabolic load, environmental conditions, clothing and sweat loss were studied in 34 heat-acclimatized males categorized into four groups (eight, eight, eight, and ten subjects) and exposed to various environmental conditions (ambient temperature, 20–54°C, and relative humidity, 10–90%), three levels of metabolic rate (resting; walking 1.34 m • s^-1, level; or walking 1.34 m • s^-1, 5% grade) while wearing various clothing ensembles (shorts and T-shirts, fatigues, fatigues plus overgarment, or sweat suit). Individual groups were not exposed to all combinations. Exposures lasted 120 min: either 10 min rest – 50 min exercise – 10 min rest – 50 min exercise, or 120 min at rest. Physiological measurements included heart rate, rectal temperature, mean skin temperature, energy expenditure and sweat loss (\Delta m_{\text{sw}}). E_{\text{max}} and E_{\text{req}} were calculated from environmental conditions, metabolism, clothing insulation and permeability. The ratio E_{\text{req}}/\Delta m_{\text{sw}} was found to correlate with E_{\text{max}} and not with M. The predictive equation for sweat loss was: \Delta m_{\text{sw}} = 18.7 \times E_{\text{req}} \times (E_{\text{max}})^{-0.455} \text{within the limits} \ 50 < E_{\text{req}} < 360 \text{;} \ W \cdot m^{-2} \text{and} \ 20 < E_{\text{max}} < 525 \text{;} \ W \cdot m^{-2}. \text{This formula predicts sweat loss for specific work loads, climates and clothing ensembles.}

Key words: Sweat loss – Required evaporative cooling – Maximal evaporative capacity – Humid and dry heat – Heat transfer

Introduction

Metabolic heat production (M) and heat exchange with the environment by radiation and convection (R + C) determine the required evaporative cooling.
(\(E_{\text{req}}\)) to maintain thermal balance. Most of this cooling must come from sweat, since, in man, respiratory evaporation contributes only to a minor degree in warm or hot environments. Thus, if secreted sweat is 100% effective for dissipating body heat, the sweat rate (converted to evaporative rate) would equal \(E_{\text{req}}\), assuming no body heat storage.

For 100% effectiveness of sweating, all sweat must be evaporated at the skin. When air vapor pressure (\(P_a\)) is low, as in hot-dry environments, the maximum evaporative capacity of the environment (\(E_{\text{max}}\)) for a nude man will far exceed \(E_{\text{req}}\), the percent skin wetted area will be low (Gagge 1937), and the secreted sweat will be totally effective for cooling. However, as air vapor pressure increases (humid conditions), the skin vapor pressure (\(P_{sk}\)) must increase correspondingly to maintain the same evaporation rate, and wetted area increases. After skin relative humidity reaches 100% (skin totally wetted), a further rise in air vapor pressure causes evaporative cooling to fall below \(E_{\text{req}}\), and body heat storage occurs (Woodcock and Breckenridge 1965). Various authors have found that sweat efficiency falls below 100% when the skin is only partially wetted; some sweat apparently drips from the skin since the sweat rate exceeds that needed to provide \(E_{\text{req}}\). Candas et al. (1979) found a decrease in efficiency when skin wettedness exceeded 74%. Givoni (1963) found this threshold when \(E_{\text{req}}\) was above 20% of \(E_{\text{max}}\) (corresponding to a 20% skin wettedness). Kerslake (1963), working with a vertical cylinder, observed dripping when the cylinder was 45% wetted. Mitchell et al. (1976) showed in addition that the amount of unevaporated sweat under humid conditions varied with the degree of heat acclimation and the time into an exposure.

Since core temperature and skin temperature are the main inputs to the thermoregulatory center, and the sweat glands are major thermoregulatory effectors in hot environments, the sweat glands will receive more impulses with increases in heat production or storage (Bligh 1978; Houdas et al. 1978), and inhibitory feedback as a result of skin wettedness and decreases in skin temperature (Bullard et al. 1967; Candas et al. 1979; Kerslake 1972; McCallrey et al. 1979). It can be assumed, therefore, that sweat production should be correlated with \(E_{\text{req}}\) (heat production and \(R + C\) heat exchange), and with the maximal evaporative capacity of the environment which, as originally defined by Gagge (1937), together with the actual evaporative heat loss (\(E_{sk}\)) dictates the wettedness of the skin (\(E_{sk}/E_{\text{max}}\) determines skin wettedness).

The three main attempts previously reported to predict sweat rate are based on the above assumptions. The predicted 4 h sweat rate index (P4SR) (Macpherson 1960) which is derived from the nomogram for the basic 4 h sweat rate (B4SR) involves air temperature, wet-bulb temperature, air speed and a correction for the type of clothing. These factors are used for determining the \(E_{\text{max}}\) and then subsequently the B4SR from which the P4SR is calculated taking into consideration the metabolic rate (the major contributor to \(E_{\text{req}}\)). The prediction equation by Givoni and Berner-Nir (1967) is based on an exponential function of the ratio \(E_{\text{req}}/E_{\text{max}}\). Lustinec's equation and nomogram (1973) are based on the linear correlation between sweat rate and \(E_{\text{req}}\) for low skin wettedness, but use a non-linear correlation between sweat rate, \(E_{\text{req}}\) and \(E_{\text{max}}\) when the skin wettedness is high. The above equations and nomograms are not
Prediction of Sweat Loss

Table 1. The physical characteristics of the subjects (mean ± SE)

<table>
<thead>
<tr>
<th>Series</th>
<th>Group</th>
<th>Age (year)</th>
<th>Weight (kg)</th>
<th>Height (cm)</th>
<th>Body surface area (m²)</th>
<th>Body fat (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1</td>
<td>22.1 ± 1.0</td>
<td>71.3 ± 4.4</td>
<td>176.4 ± 4.0</td>
<td>1.87 ± 0.07</td>
<td>18.3 ± 1.7</td>
</tr>
<tr>
<td>1</td>
<td>2</td>
<td>21.8 ± 0.8</td>
<td>72.8 ± 3.0</td>
<td>173.2 ± 2.3</td>
<td>1.86 ± 0.05</td>
<td>18.7 ± 1.4</td>
</tr>
<tr>
<td>1</td>
<td>3</td>
<td>22.1 ± 0.6</td>
<td>72.9 ± 3.4</td>
<td>177.4 ± 2.3</td>
<td>1.90 ± 0.05</td>
<td>14.9 ± 1.1</td>
</tr>
<tr>
<td>2</td>
<td>-</td>
<td>21.1 ± 0.6</td>
<td>75.6 ± 4.2</td>
<td>178.6 ± 2.1</td>
<td>1.93 ± 0.06</td>
<td>17.7 ± 1.6</td>
</tr>
<tr>
<td>3</td>
<td>-</td>
<td>20.9 ± 0.6</td>
<td>75.3 ± 5.5</td>
<td>178.2 ± 2.5</td>
<td>1.93 ± 0.07</td>
<td>17.3 ± 1.9</td>
</tr>
</tbody>
</table>

totally comprehensive. The P4SR is limited to air temperatures above 27°C and to low relative humidity. Givoni and Berner-Nir's equation is limited to $E_{req}/E_{max} < 1$, and Lustinec's equation to $E_{req}$ lower than 100 W·m$^{-2}$ when $E_{max}$ is lower than 100 W·m$^{-2}$, and to $E_{req}$ lower than 300 W·m$^{-2}$ when $E_{max}$ is lower than 200 W·m$^{-2}$.

The purpose of this study was to develop a comprehensive mathematical prediction equation of sweat loss for a wide range of environmental conditions, energy expenditures and clothing ensembles. The intended use of this equation is to help predict the water requirements of military and industrial personnel to replace water secreted in sweat.

Methods

Thirty-four male volunteer soldiers served as subjects. All subjects were fully informed with regard to experimental risk and gave their written informed consent. The experiments were divided into three series, with the first series composed of three groups of eight subjects each, the second series of ten subjects, and the third of eight subjects who had participated also in the second series. The physical characteristics of the subjects are summarized in Table 1.

Prior to the heat exposures, all subjects underwent medical examination to determine their fitness for the study. The thirty-four subjects, dressed in T-shirts, shorts, socks, and indoor shoes, were then acclimatized for 6 consecutive days by walking on a level motor-driven treadmill at 1.34 m·s$^{-1}$ for two 50 min periods with both a preceding and intervening 10 min rest period, at 49°C, 20% relative humidity (rh), 1 m·s$^{-1}$ wind speed. No significant changes were found for rectal temperature, mean skin temperature or heart rate during the last two days of this acclimatization period. After this acclimatization period, the subjects were exposed to the various environmental, exercise and clothing variations as described in Tables 2 and 3.

Each exposure lasted 120 min: 10 min rest — 50 min walk — 10 min rest — 50 min walk, or 120 min continuous rest for the resting group. During all heat exposures, rectal temperature ($T_r$) was recorded from a Y.S.I. rectal thermistor probe inserted —10 cm beyond the anal sphincter. Skin temperatures were monitored with a three-point thermocouple skin harness (chest, calf, and forearm) and mean weighted skin temperature ($T_m$) was calculated according to Burton (1935). Using a Hewlett-Packard 9825A Calculator and 9862A Plotter on line during experimentation, both $T_m$ and $T_r$ were plotted for each subject at approximately 2 min intervals. Heart rate was measured by radial artery palpation during the rest periods and after each 25 min of walking. Ad lib. water drinking was encouraged. At the end of the first rest period and at the end of each walking period, two-min expired air samples were collected in Douglas bags. The volume was measured in a Collins Spirometer and converted to standard environmental conditions (STPD), and the $O_2$ and $CO_2$ concentrations were measured with an Applied Electrochemistry Model S-3A $O_2$ analyzer and Beckman LB-2 infrared $CO_2$ analyzer. A time-weighted average metabolic rate (M) was calculated...
Table 2. Environmental conditions, exercise intensity, $E_{req}$, $E_{max}$, measured and predicted sweat loss (mean ± SE) in the first series of the present study, and comparisons with three other methods of prediction.

<table>
<thead>
<tr>
<th>Number of subjects</th>
<th>Clothing</th>
<th>$T_a$ (°C)</th>
<th>RH (%)</th>
<th>Walking speed (m · s$^{-1}$)</th>
<th>Treadmill grade (%)</th>
<th>$E_{req}$ (W · m$^{-2}$)</th>
<th>$E_{max}$ (W · m$^{-2}$)</th>
<th>Sweat loss (g · m$^{-2}$ · h$^{-1}$)</th>
<th>$E_{req}/\Delta m_{rel}$</th>
<th>Predicted sweat loss (g · m$^{-2}$ · h$^{-1}$)</th>
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<tbody>
<tr>
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<td></td>
<td>Present study</td>
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<tr>
<td>First series</td>
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<td></td>
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<td></td>
<td></td>
<td>8</td>
</tr>
<tr>
<td>8 Fatigue 35 75 Rest -</td>
<td>61 ± 4</td>
<td>133 ± 1</td>
<td>198 ± 15</td>
<td>0.47 ± 0.02</td>
<td>184</td>
<td></td>
<td></td>
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<td></td>
</tr>
<tr>
<td>6 Fatigue 35 75 1.34 0</td>
<td>185 ± 5</td>
<td>158 ± 1</td>
<td>580 ± 31</td>
<td>0.49 ± 0.04</td>
<td>517</td>
<td></td>
<td></td>
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<td></td>
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</tr>
<tr>
<td>8 Fatigue 35 75 1.34 5</td>
<td>201 ± 6</td>
<td>163 ± 1</td>
<td>691 ± 41</td>
<td>0.44 ± 0.02</td>
<td>654</td>
<td></td>
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</tr>
<tr>
<td>7 Shorts 35 75 Rest -</td>
<td>66 ± 5</td>
<td>188 ± 1</td>
<td>164 ± 16</td>
<td>0.62 ± 0.04</td>
<td>179</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>8 Shorts 35 75 1.34 0</td>
<td>169 ± 5</td>
<td>193 ± 2</td>
<td>386 ± 23</td>
<td>0.67 ± 0.04</td>
<td>431</td>
<td></td>
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<td></td>
</tr>
<tr>
<td>8 Shorts 35 75 1.34 5</td>
<td>197 ± 5</td>
<td>202 ± 2</td>
<td>556 ± 43</td>
<td>0.55 ± 0.04</td>
<td>493</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>7 Fatigue 40 32 Rest -</td>
<td>100 ± 4</td>
<td>286 ± 2</td>
<td>217 ± 14</td>
<td>0.70 ± 0.03</td>
<td>213</td>
<td></td>
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</tr>
<tr>
<td>8 Fatigue 40 32 1.34 0</td>
<td>220 ± 4</td>
<td>329 ± 3</td>
<td>480 ± 24</td>
<td>0.70 ± 0.03</td>
<td>441</td>
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</tr>
<tr>
<td>8 Fatigue 40 32 1.34 5</td>
<td>251 ± 5</td>
<td>347 ± 3</td>
<td>517 ± 27</td>
<td>0.73 ± 0.03</td>
<td>491</td>
<td></td>
<td></td>
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<td></td>
<td></td>
</tr>
<tr>
<td>7 Fatigue 40 20 1.34 0</td>
<td>293 ± 8</td>
<td>333 ± 2</td>
<td>581 ± 15</td>
<td>0.76 ± 0.03</td>
<td>584</td>
<td></td>
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</tr>
<tr>
<td>8 Shorts 40 32 Rest -</td>
<td>114 ± 5</td>
<td>358 ± 3</td>
<td>206 ± 16</td>
<td>0.86 ± 0.05</td>
<td>220</td>
<td></td>
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</tr>
<tr>
<td>8 Shorts 40 32 1.34 0</td>
<td>228 ± 4</td>
<td>409 ± 3</td>
<td>401 ± 15</td>
<td>0.86 ± 0.02</td>
<td>414</td>
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</tr>
<tr>
<td>8 Shorts 40 32 1.34 5</td>
<td>244 ± 3</td>
<td>427 ± 3</td>
<td>465 ± 19</td>
<td>0.80 ± 0.03</td>
<td>434</td>
<td></td>
<td></td>
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</tr>
<tr>
<td>4 Shorts 49 20 1.34 0</td>
<td>302 ± 10</td>
<td>408 ± 6</td>
<td>507 ± 51</td>
<td>0.91 ± 0.07</td>
<td>549</td>
<td></td>
<td></td>
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</tr>
<tr>
<td>8 Shorts 49 20 1.34 5</td>
<td>340 ± 5</td>
<td>433 ± 3</td>
<td>599 ± 31</td>
<td>0.87 ± 0.04</td>
<td>601</td>
<td></td>
<td></td>
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<td></td>
</tr>
</tbody>
</table>

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Table 3. Environmental conditions, exercise intensity, $E_{req}$, $E_{max}$, measured and predicted sweat loss (mean ± SE) in the second and third series of the present study, and comparisons with three other methods of prediction

<table>
<thead>
<tr>
<th>Number of subjects</th>
<th>Clothing</th>
<th>$T_a$ (°C)</th>
<th>rh (%)</th>
<th>Walking speed (m · s⁻¹)</th>
<th>Treadmill grade (%)</th>
<th>$E_{req}$ (W · m⁻²)</th>
<th>$E_{max}$ (W · m⁻²)</th>
<th>Sweat loss (g · m⁻² · h⁻¹)</th>
<th>$E_{req}/\Delta m_{sw}$</th>
<th>Predicted sweat loss (g · m⁻² · h⁻¹)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Second series</td>
<td></td>
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<td></td>
<td></td>
</tr>
<tr>
<td>8</td>
<td>Fatigue</td>
<td>40</td>
<td>30</td>
<td>1.34</td>
<td>0</td>
<td>222 ± 2</td>
<td>325 ± 4</td>
<td>390 ± 19</td>
<td>0.85 ± 0.04</td>
<td>460</td>
</tr>
<tr>
<td>8</td>
<td>Sweat suit</td>
<td>37</td>
<td>80</td>
<td>Rest</td>
<td>–</td>
<td>78 ± 4</td>
<td>20 ± 1</td>
<td>556 ± 52</td>
<td>0.22 ± 0.02</td>
<td>558 a</td>
</tr>
<tr>
<td>7</td>
<td>Sweat suit</td>
<td>37</td>
<td>80</td>
<td>1.34</td>
<td>0</td>
<td>206 ± 4</td>
<td>32 ± 1</td>
<td>932 ± 88</td>
<td>0.35 ± 0.04</td>
<td>1190 a</td>
</tr>
<tr>
<td>5</td>
<td>Fatigue and overgarment</td>
<td>37</td>
<td>80</td>
<td>1.34</td>
<td>0</td>
<td>197 ± 6</td>
<td>92 ± 2</td>
<td>849 ± 64</td>
<td>0.34 ± 0.02</td>
<td>714 a</td>
</tr>
<tr>
<td>Third series</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
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<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>40</td>
<td>Shorts</td>
<td>49</td>
<td>20</td>
<td>1.34</td>
<td>0</td>
<td>297 ± 5</td>
<td>439 ± 6</td>
<td>502 ± 19</td>
<td>0.90 ± 0.03</td>
<td>522</td>
</tr>
<tr>
<td>10</td>
<td>Shorts</td>
<td>54</td>
<td>10</td>
<td>1.34</td>
<td>0</td>
<td>362 ± 4</td>
<td>525 ± 7</td>
<td>586 ± 23</td>
<td>0.94 ± 0.03</td>
<td>586</td>
</tr>
<tr>
<td>10</td>
<td>Shorts</td>
<td>37</td>
<td>80</td>
<td>1.34</td>
<td>0</td>
<td>188 ± 4</td>
<td>137 ± 3</td>
<td>560 ± 27</td>
<td>0.51 ± 0.02</td>
<td>561</td>
</tr>
<tr>
<td>10</td>
<td>Shorts</td>
<td>20</td>
<td>40</td>
<td>1.34</td>
<td>0</td>
<td>52 ± 4</td>
<td>439 ± 9</td>
<td>95 ± 13</td>
<td>0.91 ± 0.06</td>
<td>91 a</td>
</tr>
<tr>
<td>10</td>
<td>Shorts</td>
<td>41</td>
<td>80</td>
<td>Rest</td>
<td>–</td>
<td>106 ± 2</td>
<td>40 ± 2</td>
<td>584 ± 48</td>
<td>0.28 ± 0.02</td>
<td>560 a</td>
</tr>
<tr>
<td>10</td>
<td>Shorts</td>
<td>35</td>
<td>90</td>
<td>1.34</td>
<td>0</td>
<td>173 ± 4</td>
<td>116 ± 3</td>
<td>554 ± 41</td>
<td>0.49 ± 0.04</td>
<td>556</td>
</tr>
<tr>
<td>10</td>
<td>Shorts</td>
<td>49</td>
<td>20</td>
<td>1.34</td>
<td>5</td>
<td>350 ± 7</td>
<td>405 ± 9</td>
<td>646 ± 32</td>
<td>0.82 ± 0.02</td>
<td>637</td>
</tr>
<tr>
<td>10</td>
<td>Shorts</td>
<td>49</td>
<td>20</td>
<td>1.34</td>
<td>0</td>
<td>309 ± 5</td>
<td>424 ± 7</td>
<td>516 ± 13</td>
<td>0.90 ± 0.02</td>
<td>551</td>
</tr>
</tbody>
</table>

* Out of the range of the model
as 0.17 (= 20 min/120 min) of the resting value plus 0.83 (= 100 min/120 min) of the mean of the two level walking values. In the case of walking uphill, the external work was deducted from the measured metabolic rate (Pandolf et al. 1977). Total body weight losses were determined from pre- and post-walk nude measurements on a K-120 Sauter precision electronic balance (accuracy of ± 10 g) for calculation of sweat loss. Sweat loss was determined from weight loss, adjusted for water intake and urine output. The sweat rate was expressed as the theoretical evaporative cooling power \( (\Delta m_{sw}) \) (1 watt = 1.486 g - h\(^{-1}\)), and normalized per m\(^2\) surface area.

The radiative and convective heat exchange with the environment \( (R + C) \), the evaporative cooling power needed to maintain thermal equilibrium \( (E_{req}) \) and the maximal evaporative cooling power of the environment \( (E_{max}) \) were calculated according to Givoni and Goldman (1972, 1973) using the actual \( T_k \) for the \( T_a - T_k \) gradient and \( P_{sk} \) for calculation of \( E_{max} \). \( E_{req} \) and \( E_{max} \) were normalized per m\(^2\) surface area.

The values for insulation (clo) around the man (total clo as measured by heated copper manikin) were 0.74, 0.99, 1.50, and 1.20 for shorts and T-shirt, fatigues, fatigues plus overgarment and plastic sweat suit respectively. The corresponding values for the evaporative coefficient of the clothing \( (i_{/clo}) \) were 0.94, 0.75, 0.51, and 0.20 respectively. Criteria for terminating any heat exposure were a heart rate of 180 beats • min\(^{-1}\) during exercise, or of 140 beats • min\(^{-1}\) during rest, and/or a \( T_e \) above 39.5\(^{\circ}\)C, dizziness, nausea, or dry skin.

Statistical Treatment

The differences in \( E_{req}/\Delta m_{sw} \) were analyzed by using a mixed-factorial analysis with each subject receiving all combinations of factors (clothing and environmental conditions), but where the subjects were divided into groups by level of metabolism (rest, walking level and walking upgrade). If a significant F-value was found \( (p < 0.05) \), critical differences were calculated by Tukey's procedure to locate the significant mean differences. The power curve fit \( (y = ax^{b}) \) was calculated as a linear regression of the logarithmic expression \( \ln y = \ln a + b \cdot \ln x \). In a similar way the exponential curve fit \( (y = ae^{mx}) \), the logarithmic curve fit \( (y = a + b \cdot \ln x) \), the parabolic curve fit \( (y = a + bx + cx^{2}) \), and \( y = a + b/x \), \( 1/y = a + b/x \) and \( y = a + b\sqrt{x} \) were all examined, as well as the associated linear regressions.

Results

Development of the Basic Sweat Loss Prediction Equation

Analysis of the 111 exposures from the first series of experiments (Table 2) yielded a similar \( E_{req}/\Delta m_{sw} \) index \( (p > 0.05) \) for the same combinations of clothing and environmental conditions (similar \( E_{max} \)), regardless of the level of energy expenditure (different \( E_{req} \)). However, the index was different and highly significant \( (p < 0.001) \) for different \( E_{max} \) either when the change in \( E_{max} \) was a result of different environmental conditions (humid vs dry) or due to different clothing ensembles (change in \( i_{/clo} \)). The relationship between \( E_{req}/\Delta m_{sw} \) and \( E_{max} \) for these data of the first experimental series was found to be \( E_{req}/\Delta m_{sw} = 0.0530 \ E_{max}^{-0.452} \ (r = 0.87) \) when \( E_{req} \), \( E_{max} \) and the rate of sweat loss were expressed in \( W \cdot m^{-2} \) (see Fig. 1, 2). It can be seen that the above mathematical formula used to express these data appears to be accurate for both the individual and the group responses in this first series of experiments.

The rate of sweat loss can be derived from the above as:

\[ \Delta m_{sw} = 19 \times E_{req} \times (E_{max})^{-0.452}; W \cdot m^{-2} \]
Prediction of Sweat Loss

\[ Y = 0.0530 X^{0.452} \]

\[ r = 0.87 \]

Fig. 1. Relationship between \( E_{\text{req}}/\Delta m_{\text{sw}} \) and \( E_{\text{max}} \) derived from the first series (individual points)

\[ Y = 0.0530 X^{0.452} \]

Fig. 2. Relationship between \( E_{\text{req}}/\Delta m_{\text{sw}} \) and \( E_{\text{max}} \) for the three groups of the first series (each point is an average of the group for each condition)

limited to the ranges \( 135 < E_{\text{max}} < 430 \) and \( 60 < E_{\text{req}} < 340 \); \( \text{W} \cdot \text{m}^{-2} \). The correlation between the predicted and the measured sweat loss for the first experimental series, over a wide range of sweating responses, was found to be \( r = 0.94 \), as illustrated in Fig. 3.

Expansion of the Basic Sweat Loss Prediction Equation

In the 132 exposures of the second and third series (Table 3), the equation was examined for a wider range of sweating responses than in the first series. High
humidities and low permeable clothing (fatigue plus overgarment, and sweat suit) were used to challenge the equation in the low range of $E_{\text{max}}$, down to 20 W \cdot m^{-2}, and through the use of both a hot and very dry environment (49°C, 20% rh and 54°C, 10% rh) up to 525 W \cdot m^{-2}. Additional challenges were imposed when the $E_{\text{req}}$ was reduced to 52 W \cdot m^{-2} by exposure to a cool
Comparison of the Present Prediction Equation with Other Predictive Methods

The measured values for sweat loss obtained in the present study were compared with values predicted from our data using Lustinec's (1973), Givoni and
Table 4. Comparison of the predicted sweat loss with the measured results of other investigators

<table>
<thead>
<tr>
<th></th>
<th>( T_s ) (°C)</th>
<th>( r_h ) (%)</th>
<th>Wind speed (m \cdot s^{-1})</th>
<th>Clothing</th>
<th>Effort</th>
<th>Sweat loss (g \cdot m^{-2} \cdot h^{-1})</th>
</tr>
</thead>
<tbody>
<tr>
<td>Macpherson (1960)</td>
<td>32</td>
<td>80</td>
<td>1.6</td>
<td>Shorts</td>
<td>Climbing 12” bench 12 cycle \cdot min^{-1}</td>
<td>186</td>
</tr>
<tr>
<td></td>
<td>32</td>
<td>80</td>
<td>0.2</td>
<td>Shorts</td>
<td>Climbing 12” bench 12 cycle \cdot min^{-1}</td>
<td>256</td>
</tr>
<tr>
<td></td>
<td>32</td>
<td>80</td>
<td>1.6</td>
<td>Shorts</td>
<td>Rest</td>
<td>65</td>
</tr>
<tr>
<td></td>
<td>32</td>
<td>80</td>
<td>0.2</td>
<td>Shorts</td>
<td>Rest</td>
<td>71</td>
</tr>
<tr>
<td></td>
<td>32</td>
<td>80</td>
<td>1.6</td>
<td>Overall</td>
<td>Rest</td>
<td>99</td>
</tr>
<tr>
<td></td>
<td>32</td>
<td>80</td>
<td>1.6</td>
<td>Overall</td>
<td>Climbing 12” bench 12 cycle \cdot min^{-1}</td>
<td>213</td>
</tr>
<tr>
<td></td>
<td>49</td>
<td>25</td>
<td>0.5</td>
<td>Shorts</td>
<td>Climbing 12” bench 12 cycle \cdot min^{-1}</td>
<td>539</td>
</tr>
<tr>
<td>Givoni (1963)</td>
<td>35</td>
<td>23</td>
<td>2.0</td>
<td>Shorts</td>
<td>Rest</td>
<td>103</td>
</tr>
<tr>
<td></td>
<td>36</td>
<td>88</td>
<td>2.0</td>
<td>Shorts</td>
<td>Rest</td>
<td>203</td>
</tr>
<tr>
<td>Candas et al. (1979)</td>
<td>48</td>
<td>33</td>
<td>( E_{req} = 260 \text{ W} ); ( E_{max} = 260 \text{ W} )</td>
<td>Rest</td>
<td>305</td>
<td></td>
</tr>
<tr>
<td>Nadel and Stolwijk (1973)</td>
<td>36</td>
<td>65</td>
<td>15 min work 720 km \cdot min^{-1} + 15 min rest</td>
<td>Rest</td>
<td>306</td>
<td></td>
</tr>
<tr>
<td>Gonzalez et al. (1978)</td>
<td>40</td>
<td>32</td>
<td>( E_{req} = 193 \text{ W} \cdot m^{-2} ); ( E_{max} = 401 \text{ W} \cdot m^{-2} )</td>
<td>Rest</td>
<td>252</td>
<td></td>
</tr>
</tbody>
</table>
Prediction of Sweat Loss

Berner-Nir’s (1967), or Macpherson’s (1960) P4SR method (Tables 2, 3, and Fig. 5). Using the present equation, only one condition (sweat suit, walking in 37° C, 80% rh), out of the 30 that were examined, resulted in a predicted sweat loss which differed by more than 20% from the measured. In the other 29 conditions, the predicted sweat loss was within the ±20% range; the relationship found was: predicted Δm_{sw} = 3 + 0.98 measured Δm_{sw} (r = 0.95). With Lustinec's nomogram, eight conditions out of the 30 were out of the ±20% range; in another four conditions, the sweat rate could not be predicted because the conditions were beyond the nomogram’s range (see Table 3). Using the present data and Lustinec’s method, it was found that the predicted Δm_{sw} = 46 + 0.72 measured Δm_{sw} (r = 0.93). For Givoni and Berner-Nir’s equation, 14 conditions were out of ±20% range; the prediction relationship using our sweat loss data and their method was Δm_{sw} = 151 + 0.38 measured Δm_{sw} (r = 0.51). The largest deviations from measured values using Givoni and Berner-Nir’s equation were found when E_{req} was close to or above E_{max}. For the P4SR method the predicted sweat rate was beyond the ±20% range in 12 instances, while in two other conditions the sweat rate could not be predicted because the conditions were out of the P4SR nomogram’s range; it was found that predicted Δm_{sw} = -113 +1.34 measured Δm_{sw} with an r = 0.83.

Comparison of the Present Prediction Equation
with Results of Other Authors

Comparison of the predicted sweat loss using the present equation with the measured data from various other studies (Table 4) shows that in most cases the present equation predicts sweat loss within the range of ±20% (11 of 13 conditions). Exceptions involved the very low sweat rates found in the Royal Naval Tropical Research Unit experimental series (Macpherson 1960) (predicted 102 g · m^{-2} · h^{-1} vs 71 measured), and a comparison where E_{req} equalled E_{max} (Candas et al. 1979).

Discussion

Physiological variables like core temperature, skin temperature and skin wettedness influence the rate of sweat loss (Benzinger et al. 1963; Bullard et al. 1967; Davies 1979; McCallrey et al. 1979). These variables, together with heat storage, metabolic rate and an internal set-point, can explain the different physiological models and pathways of sweat regulation (Benzinger et al. 1963; Houdas et al. 1978). Although these models are essential for understanding various thermoregulatory mechanisms, their applicability for prediction of sweat loss is limited because physiological measurements under actual exposures are needed to evaluate the predicted sweat loss. In our previous studies, it was shown that body temperatures and heart rate are predictable by comparing the demand for heat loss with the capacity for heat loss, using the two main variables
of thermoregulation, the overall heat load ($E_{req}$) and the maximal evaporative cooling capacity of the environment ($E_{max}$) (Givoni and Goldman 1972, 1973). Since sweat loss depends on body temperatures, skin wettedness, metabolic rate (a determinant of $E_{req}$) and heat storage (a function of body temperatures) it can be assumed that the sweat loss can be derived directly from $E_{req}$ and $E_{max}$ without the need to measure the different physiological variables. The advantage of this assumption is obvious, because both $E_{req}$ and $E_{max}$ can be calculated directly from the environmental conditions, the predicted exercise intensity and the type of clothing without the need to make any physiological measurements. Thus, rate of sweat loss can be predicted (at least within ±20%) without the need to make physiological measurements.

The theoretical need for sweat evaporative cooling is a linear function of $E_{req}$ (sweat rate = $k^{-1} \cdot E_{req}$, where $k$ is the latent heat evaporation of water). For a nude man, under conditions of low skin wettedness where the evaporation of sweat is practically unlimited, the sweat loss can be predicted using the above equation as was previously done by Lustinec (1973) for low skin wettedness. On the other hand, under other conditions where $E_{max}$ is low or close to $E_{req}$ and the skin is wet, only part of the sweat is evaporated, while the rest of the sweat being produced is dripping or soaking the clothing, and therefore, the sweat rate will be higher than $k^{-1} \cdot E_{req}$. Because $E_{max}$ is the major factor in determining the level of skin wettedness, it should be a part of any sweat loss prediction formula for clothed men or conditions of high skin wettedness.

In the present study, it was found that $E_{req}/\Delta m_{sw}$ was correlated with $E_{max}$. As expected, the ratio was high for high evaporative cooling capacity and low for low $E_{max}$. The relationship between the rate of sweat loss, $E_{req}$ and $E_{max}$ was found empirically to be: $\Delta m_{sw} = 18.7 \cdot E_{req} \cdot (E_{max})^{-0.455}$ with $\Delta m_{sw}$, $E_{req}$ and $E_{max}$ in W/m$^2$. For high $E_{max}$ (dry skin), the above formula is very close to $m_{sw} = E_{req}/$latent heat, as expected. In contrast, the lower the $E_{max}$, the greater is its influence on the final values for the predicted sweat loss. For practical use (predicting water requirements), the formula can be converted to weight units (g·m$^{-2}$·h$^{-1}$) as follows: sweat loss = 27.9 · $E_{req}$ · $(E_{max})^{-0.455}$.

The present formula was derived from 250 exposures to a wide range of environmental conditions (cool, warm, hot, dry and humid) with a variety of clothing ensembles (light clothing, heavy clothing, high permeability and low permeability) and three different metabolic rates (rest, 300 and 450 W). Therefore, our prediction equation can be used for a wide range of $E_{req}$ (50–360 W·m$^{-2}$) and of $E_{max}$ (20–525 W·m$^{-2}$). Comparison of the estimates yielded by the present equation with measured values published by other investigators (Table 4) supports this suggestion. The main limitation for the present prediction equation appears to be at very high sweat rates. In this case, the formula appears to overestimate the rate of sweat loss; in one exposure in our study, when the measured sweat loss was 932 g·m$^{-2}$·h$^{-1}$, the predicted value was 1,190 (overestimation of 28%). In this condition, it can be assumed that the actual sweat rate was close to the maximal sweat rate, so the sweating mechanisms were saturated (Davies 1979) and the subjects could not "reach" the values predicted as required to achieve a steady state thermal equilibrium (Givoni and Goldman 1972, 1973).
In general, however, we suggest that sweat loss can be predicted simply as a function of $E_{\text{req}}$ and $E_{\text{max}}$ for a wide range of climatic conditions, clothing ensembles and metabolic rates. The present sweat loss prediction equation is more comprehensive than other existing methods because it allows for prediction over a wider range of total heat load (metabolic heat production and heat exchange with the environment), and evaporative cooling capacity with greater applicability to different clothing systems. The present formula predicts the rate of sweat loss more accurately than the other existing methods especially in extreme climatic conditions.

1. The views, opinions, and/or findings contained in this report are those of the author(s) and should not be construed as an official Department of the Army position, policy, or decision, unless so designated by other official documentation.
2. Human subjects participated in these studies after giving their free and informed voluntary consent. Investigators adhered to AR 70-25 and USAMRDC Regulation 70-25 on Use of Volunteers in Research.

Acknowledgements. The authors wish to acknowledge the assistance of Ms. Ella H. Munro in the statistical analysis of the data, and Pat Basinger and Cynthia Bishop for their technical assistance in preparing the manuscript. A special thanks is due to Mr. John R. Breckenridge for his many helpful comments in editing the manuscript.

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Accepted July 9, 1981
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